



# *X-Ray Detectors*



## Introduction

A large amount of our understanding of AGN comes from non-optical observations.

⇒ we need to understand how these observations are made to be able to interpret their results.

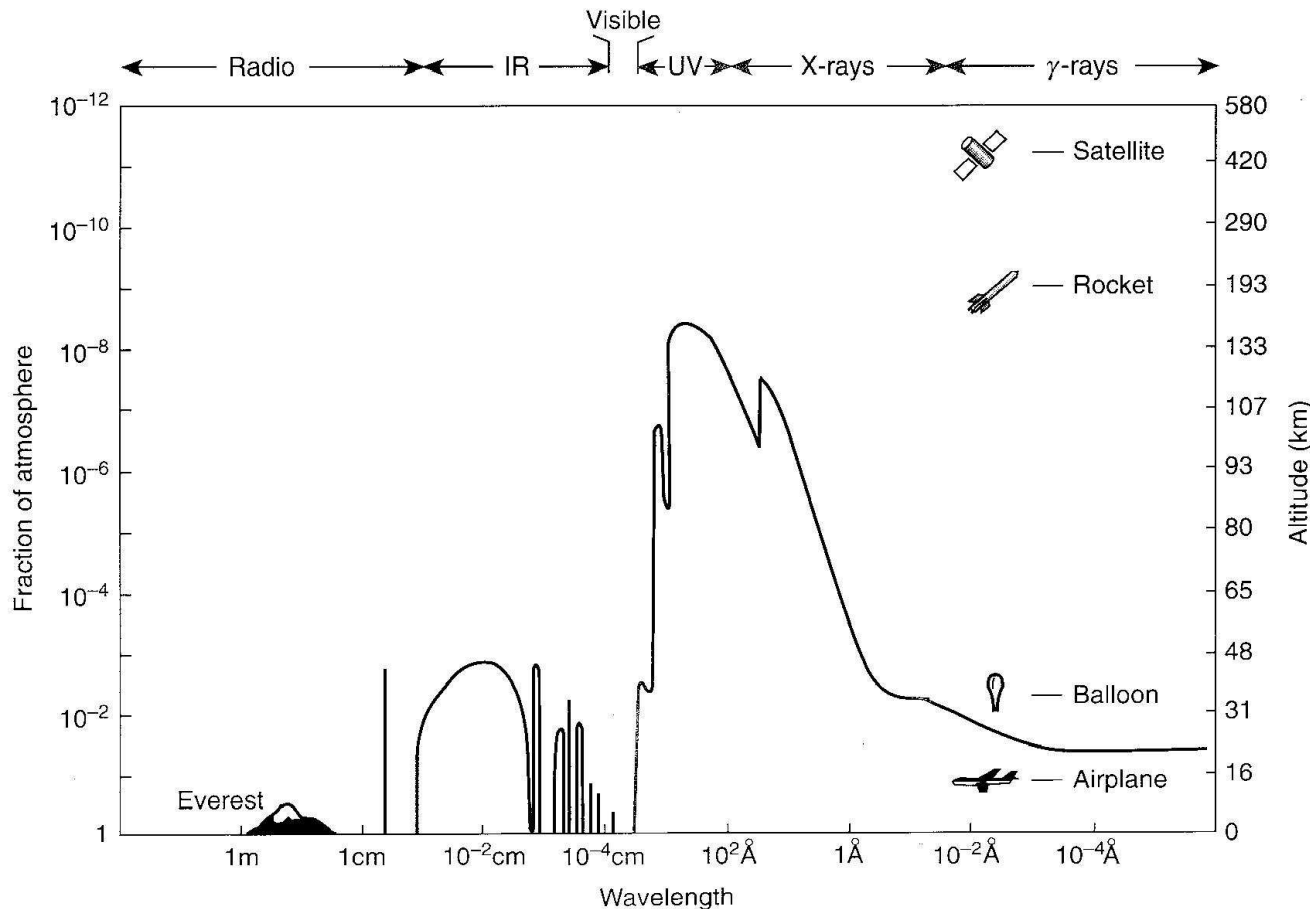
⇒ Will take a “side trip” into the world of X-ray detectors.

There are two main issues to deal with:

- X-ray Optics
- X-ray Detectors



# Earth's Atmosphere



Charles & Seward, Fig. 1.12

⇒ If one wants to look at the sky in other wavebands, one *has* to go to space!

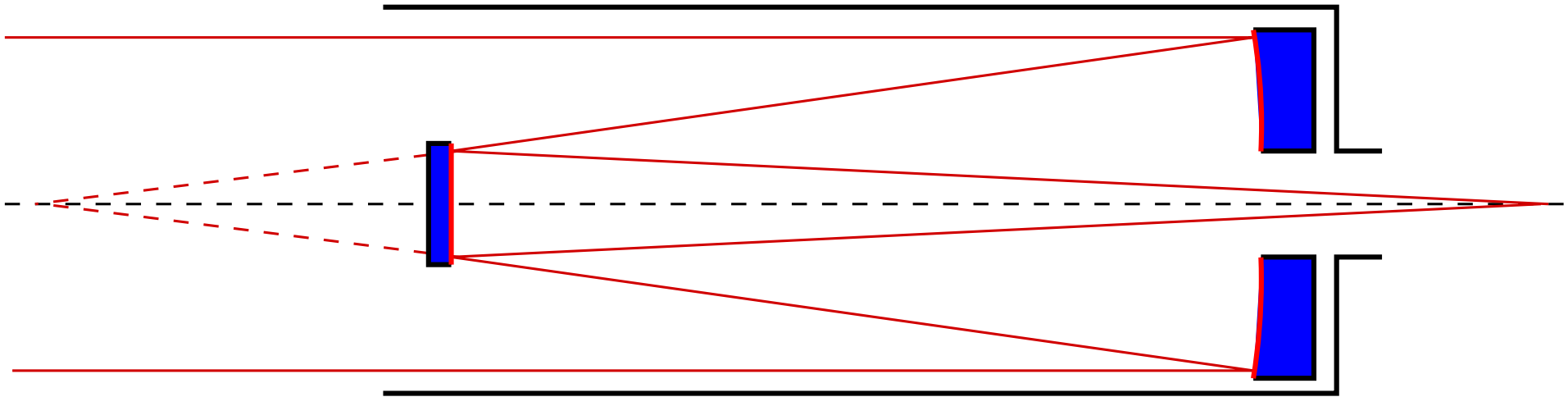
Earth's atmosphere is opaque for all types of EM radiation except for optical light and radio.

Major contributor at high energies: photoabsorption ( $\propto E^{-3}$ ), esp. from oxygen (edge at  $\sim 500\text{ eV}$ ).





## Optical Imaging, I



Cassegrain telescope, after Wikipedia

*Reminder:* Optical telescopes are usually reflectors:

**primary mirror** (paraboloid) → **secondary mirror** (often flat) → **detector**

Main characteristics of a telescope:

- **collecting area** (i.e., open area of telescope,  $\sim \pi d^2/4$ , where  $d$ : telescope diameter)
- for small telescopes: **angular resolution**,

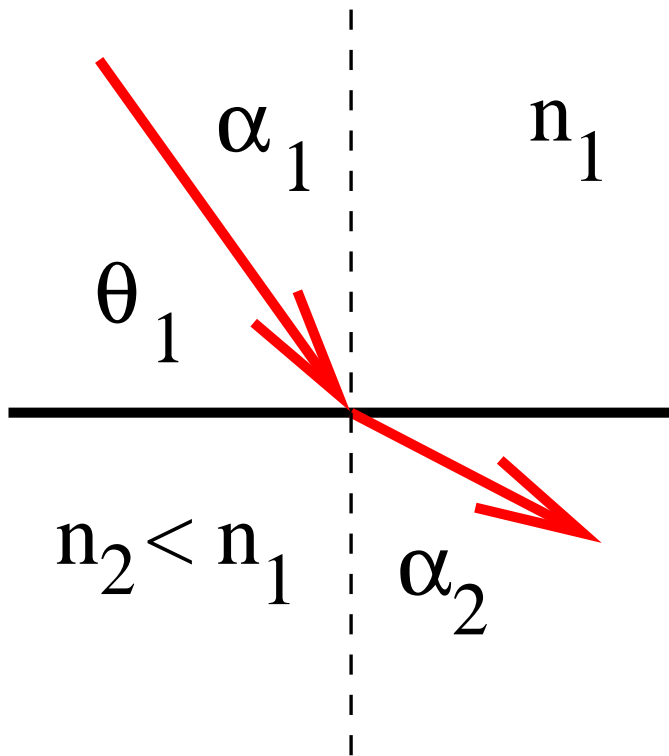
$$\theta = 1.22 \frac{\lambda}{d} \quad (5.1)$$

but in the optical: do not forget the seeing!



## Optical Imaging, II

Optical telescopes are based on principle that reflection “just works” with metallic surfaces.



**Snell's law** of refraction:

$$\frac{\sin \alpha_1}{\sin \alpha_2} = \frac{n_2}{n_1} = n \quad (5.2)$$

where  $n$  index of refraction, and  $\alpha_{1,2}$  angle wrt. surface normal. If  $n \gg 1$ : **Total internal reflection**

Total reflection occurs for  $\alpha_2 = 90^\circ$ , i.e. for

$$\sin \alpha_{1,c} = n \iff \cos \theta_c = n \quad (5.3)$$

with the **critical angle**  $\theta_c = \pi/2 - \alpha_{1,c}$ .

Clearly, **total reflection is only possible for  $n < 1$ .**

Light in glass at glass/air interface:  $n = 1/1.6 \implies \theta_c \sim 50^\circ \implies$  principle behind **optical fibers**.



## Optical Imaging, III

X-rays: index of refraction vacuum versus material is (Aschenbach, 1985):

$$n = 1 - N_A \frac{Z}{A} \frac{r_e}{2\pi} \rho \lambda^2 =: 1 - \delta \quad (5.4)$$

$N_A$ : Avogadro's number,  $r_e = 2.8 \times 10^{-15}$  m,  $Z$ : atomic number,  $A$ : atomic weight ( $Z/A \sim 0.5$ ),  $\rho$ : density,  $\lambda$ : wavelength (X-rays:  $\lambda \sim 0.1-1$  nm).

**Critical angle for X-ray reflection:**

$$\cos \theta_c = 1 - \delta \quad (5.5)$$

Since  $\delta \ll 1$ , Taylor ( $\cos x \sim 1 - x^2/2$ ):

$$\theta_c = \sqrt{2\delta} = 56' \rho^{1/2} \frac{\lambda}{1 \text{ nm}} \quad (5.6)$$

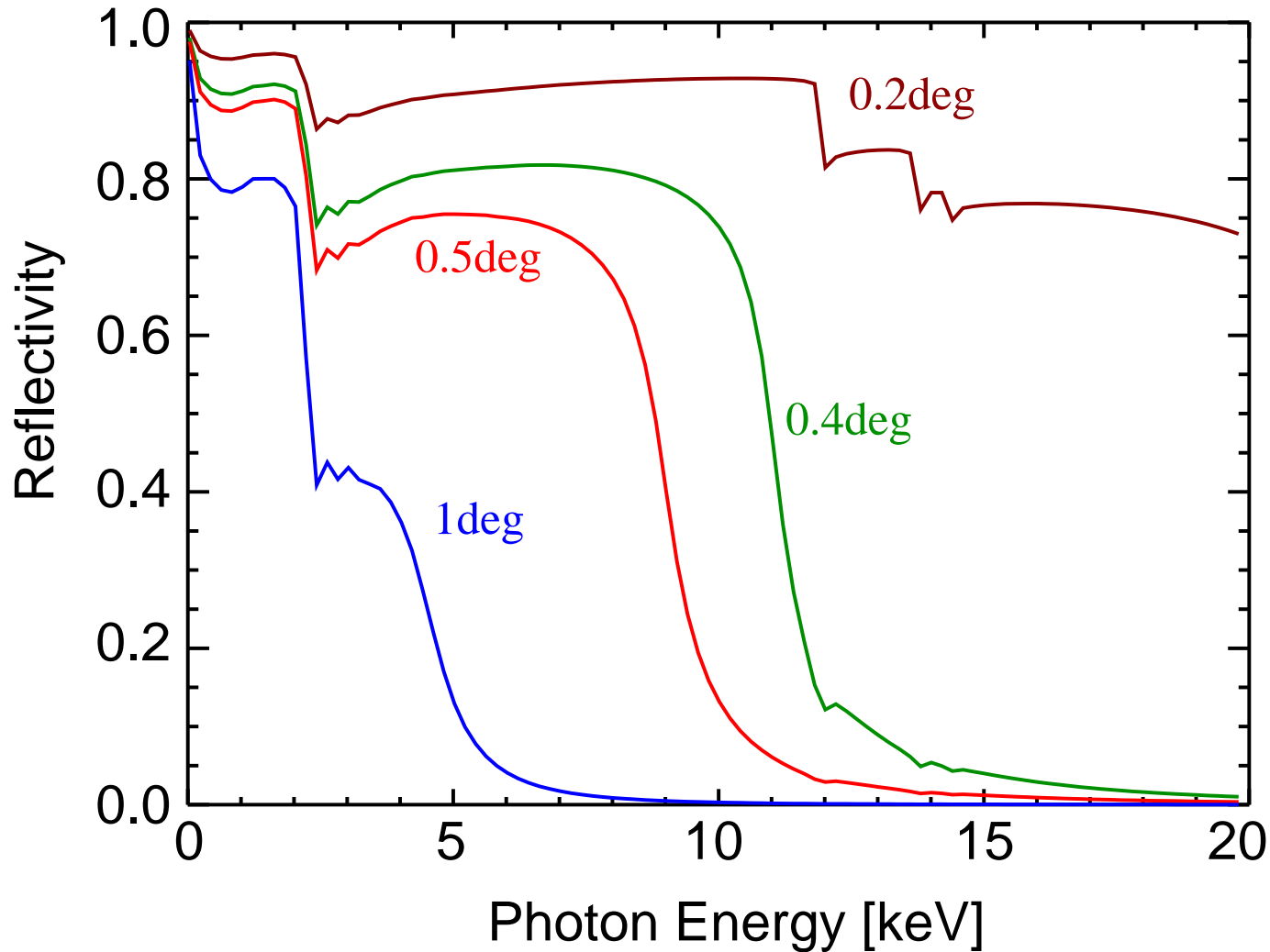
So for  $\lambda \sim 1$  nm:  $\theta_c \sim 1^\circ$ .

To increase  $\theta_c$ : need material with high  $\rho$

$\implies$  **gold** (*XMM-Newton*) or **iridium** (*Chandra*).



# Optical Imaging, IV



Reflectivity for Gold

X-rays: Total reflection only works in the soft X-rays and only under grazing incidence  $\implies$  grazing incidence optics.





## Wolter Telescopes, I

Paraboloid

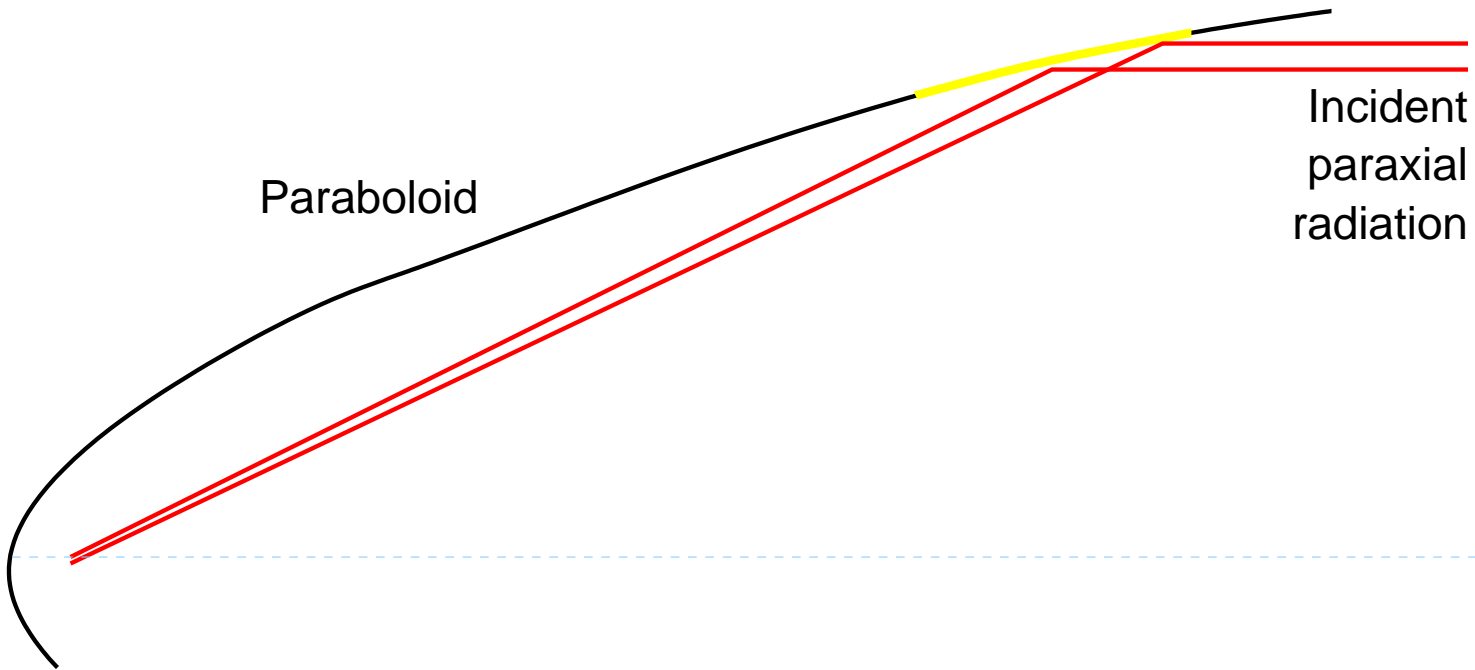


after ESA

Geometric optics: focusing with conic sections.



# Wolter Telescopes, II

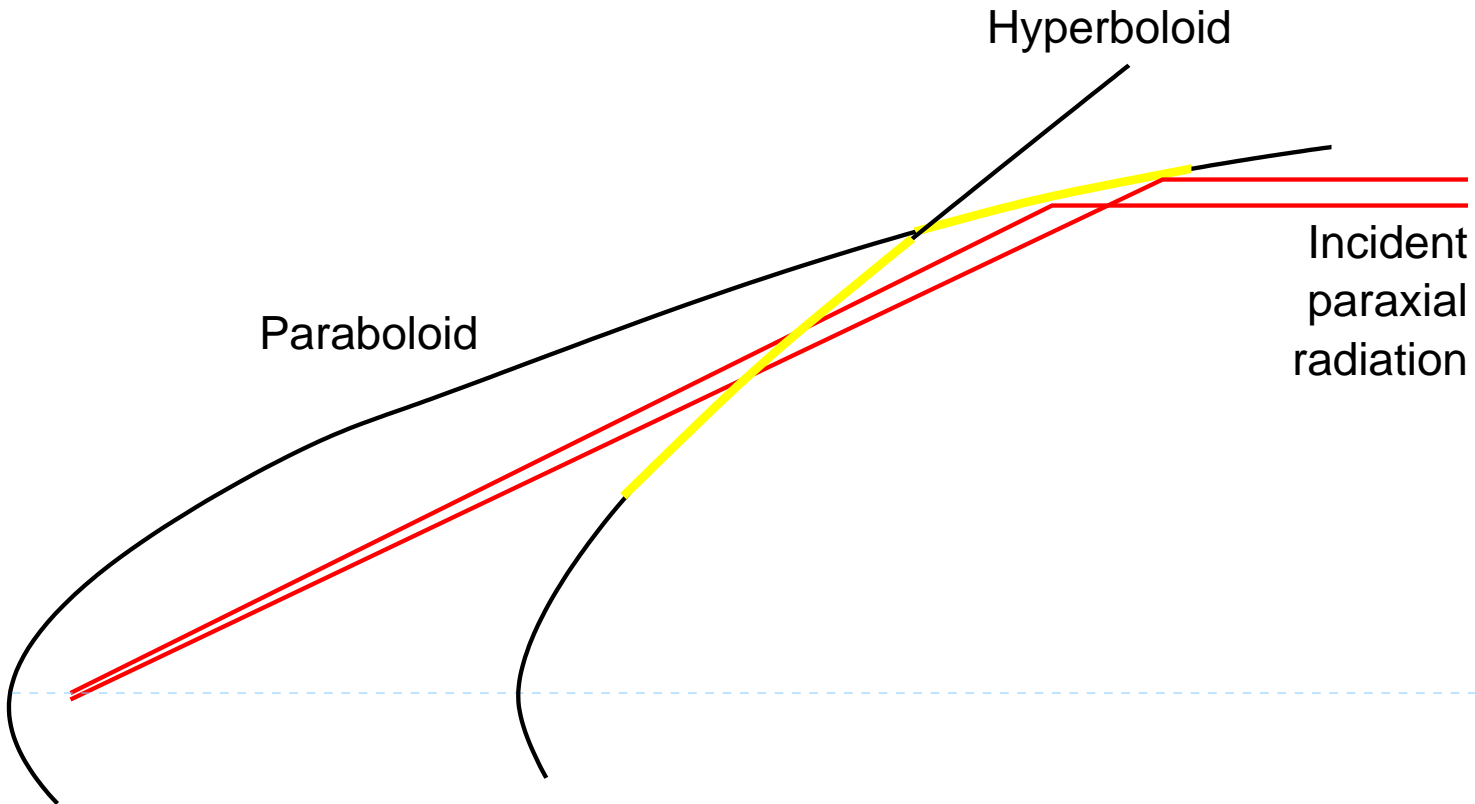


after ESA

Parabolic system alone: long focal length.



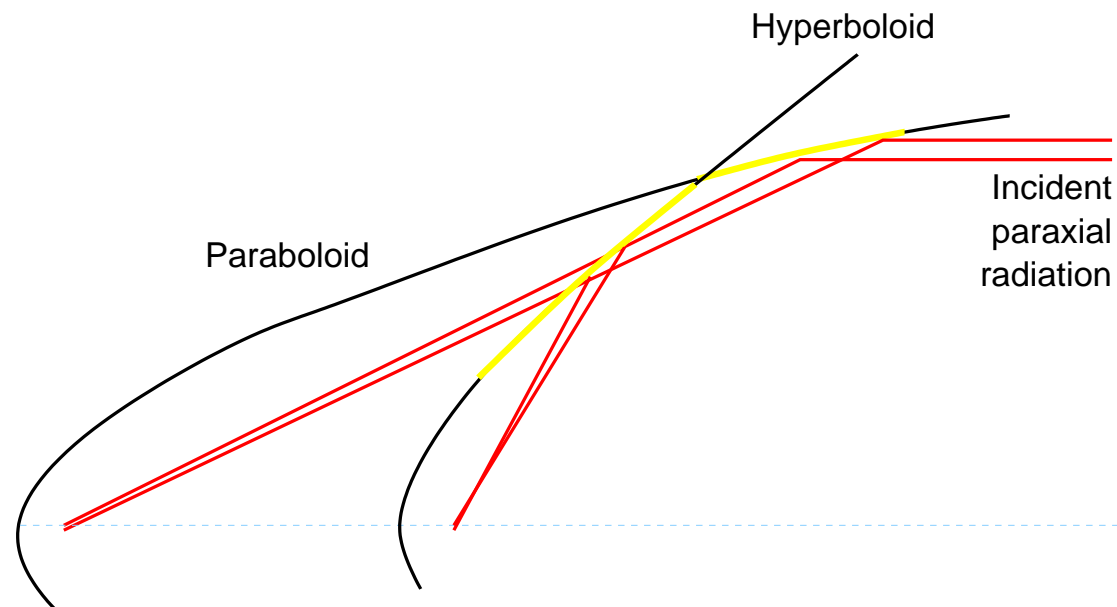
# Wolter Telescopes, III



after ESA

Shorten system with combination of parabola and hyperboloid.

## Wolter Telescopes, IV

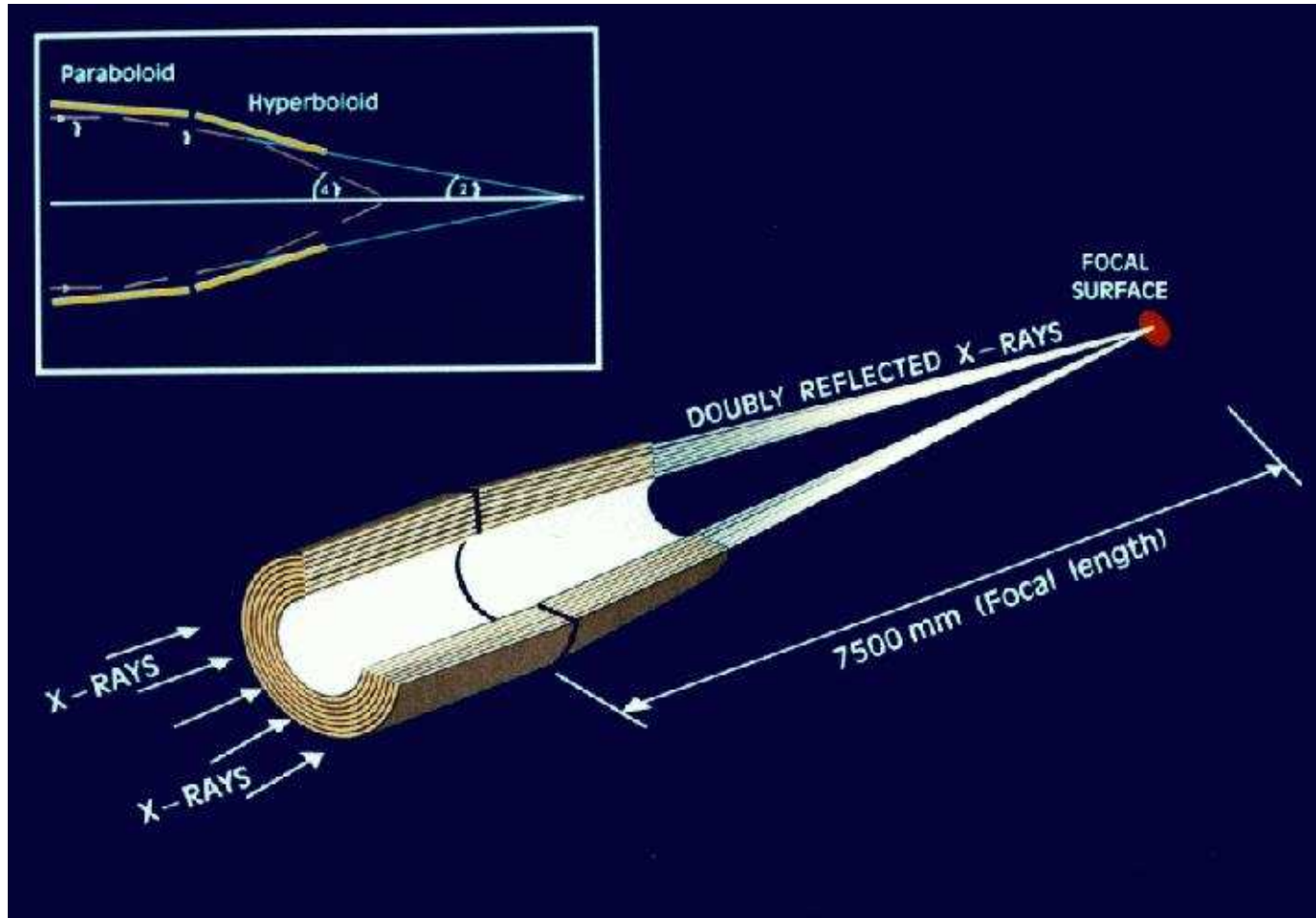


To obtain manageable focal lengths ( $\sim 10$  m), do imaging with telescope using **two reflections** on a parabolic and a hyperboloidal mirror (“**Wolter type I**”).

(Wolter, 1952, for X-ray microscopes, Giacconi, 1961, for UV- and X-rays).

**But: small collecting area** ( $A \sim \pi r^2 l / f$  where  $f$ : focal length)

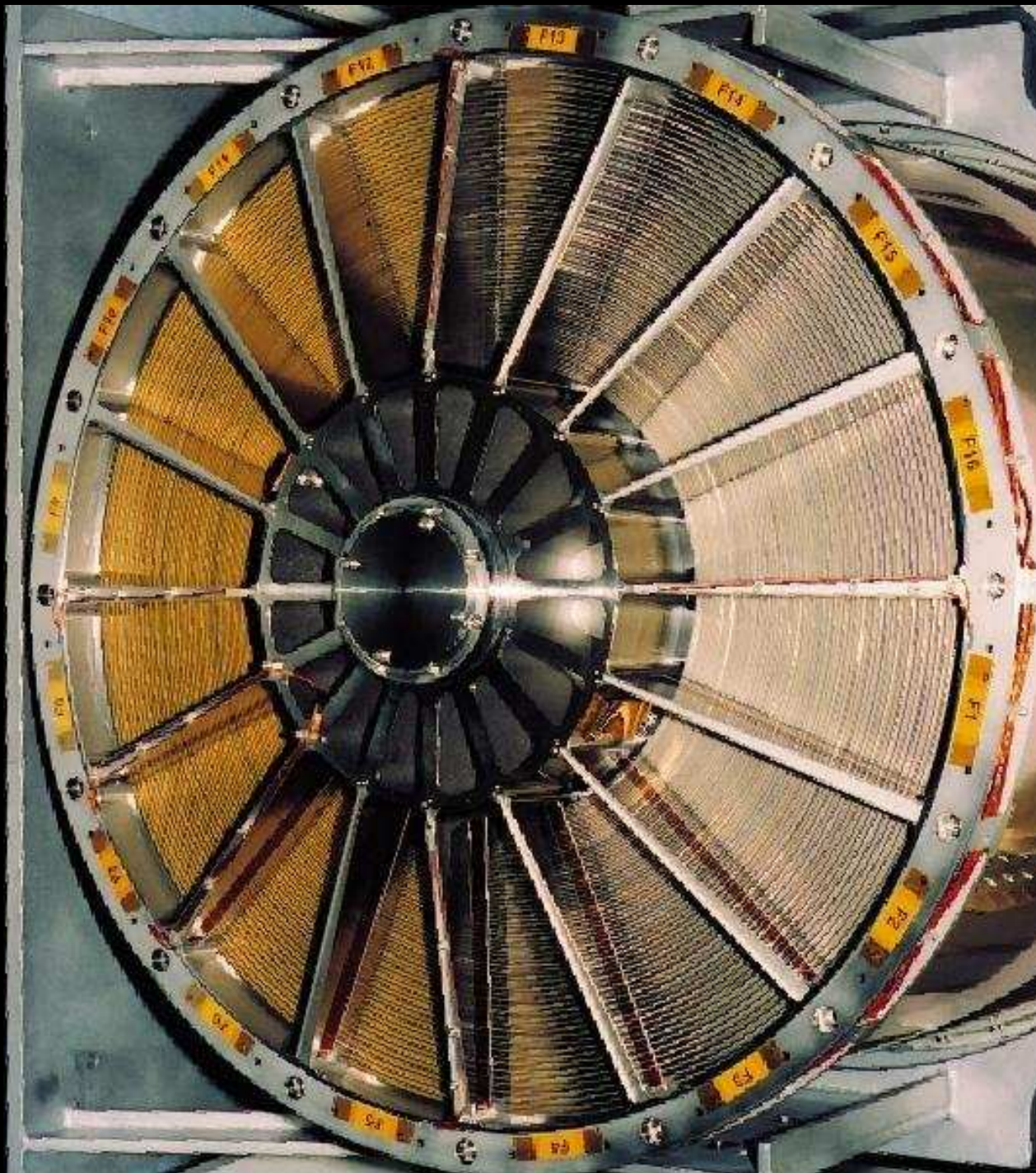
## Wolter Telescopes, V



ESA/XMM


Solution to small collecting area: **nested mirrors**.



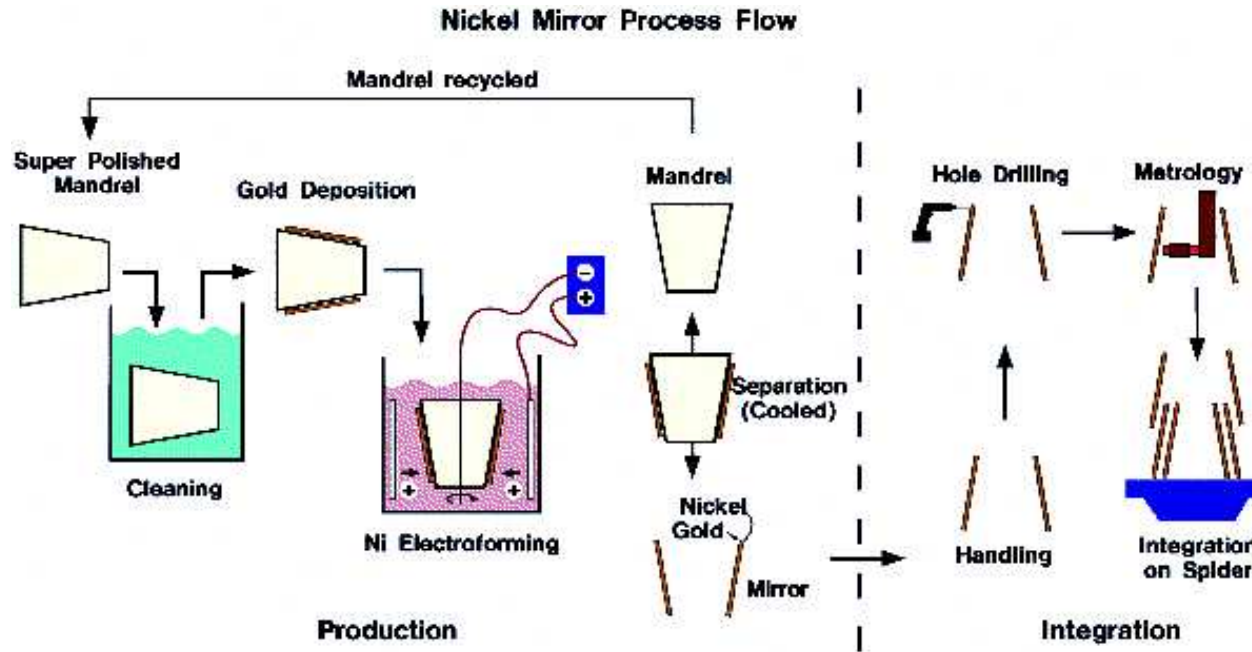


**XMM-Newton mirrors during integration**

Image courtesy of Dornier Satellitensysteme GmbH

European Space Agency 

# Mirror manufacture, I



*Recipe for making an X-ray mirror:*

1. Produce mirror negative (“Mandrels”): Al coated with Kanigen nickel (Ni+10% phosphorus), super-polished [0.4 nm roughness]).
2. Deposit 250 nm Au onto Mandrel
3. Deposit 1 mm Ni onto mandrel (“electro-forming”, 10  $\mu\text{m}/\text{h}$ )
4. Cool Mandrel with liquid N. Au sticks to Nickel
5. Verify mirror on optical bench.

Total production time of one mirror: 12 d, for XMM: 3×58 mirrors.



## Mirror manufacture, II



Gold plastered mandrel for one of the XMM mirrors before electroforming the Ni shell onto the gold.

ESA picture 96.05.006-070





## Mirror manufacture, III



...insertion of Mandrel into electroforming bath

ESA picture 96.12.002-016



## Mirror manufacture, IV



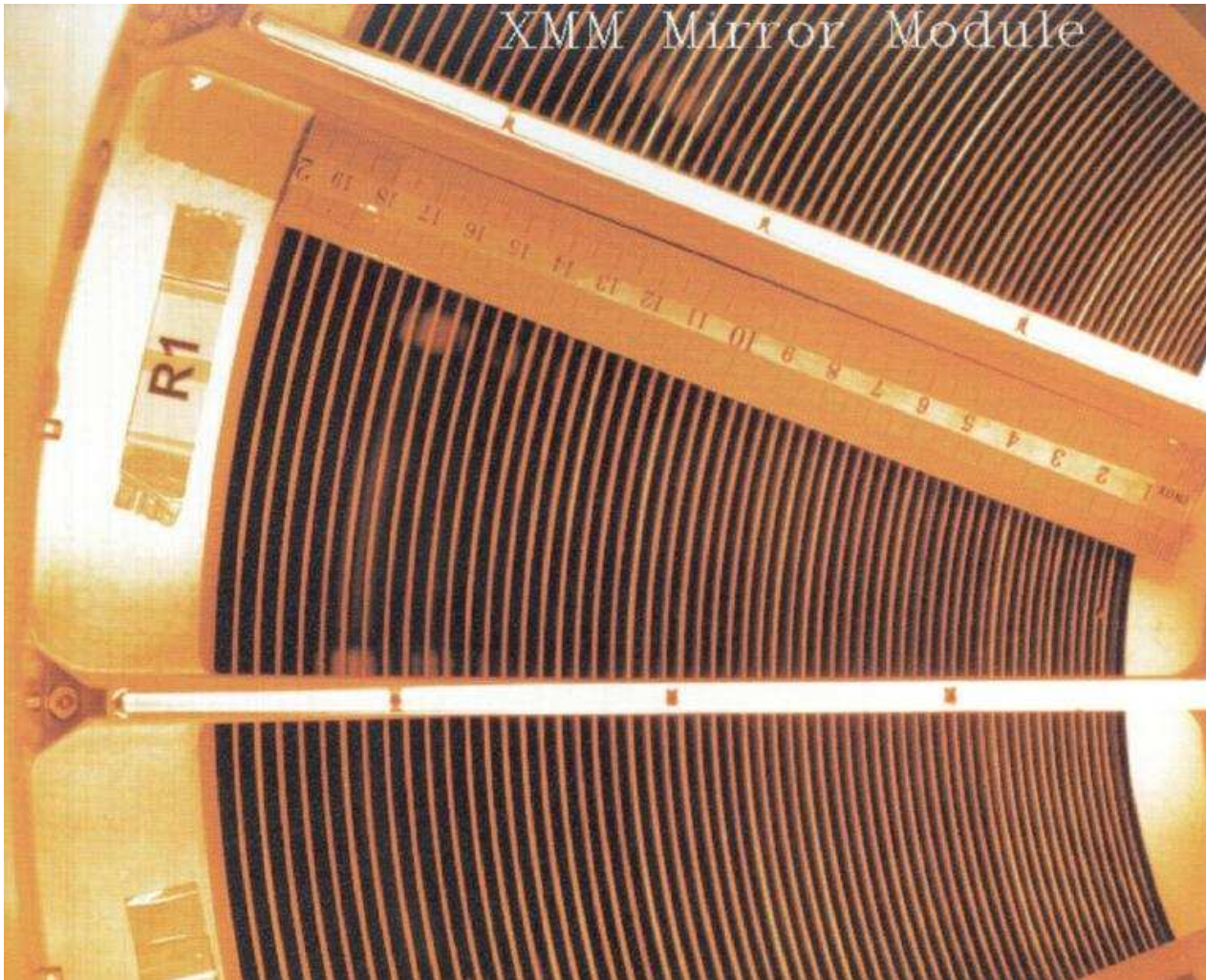
... and the mirror is done

ESA picture 96.12.002-093





## XMM-Newton



Top of the XMM mirrors:  
3 mirror sets, each consisting of  
58 mirrors,

- Thickness between 0.47 and 1.07 mm
- Diameter between 306 and 700 mm,
- Masses between 2.35 and 12.30 kg,
- Mirror-Height 600 mm
- Reflecting material: 250 nm Au.

photo: Kayser-Threde

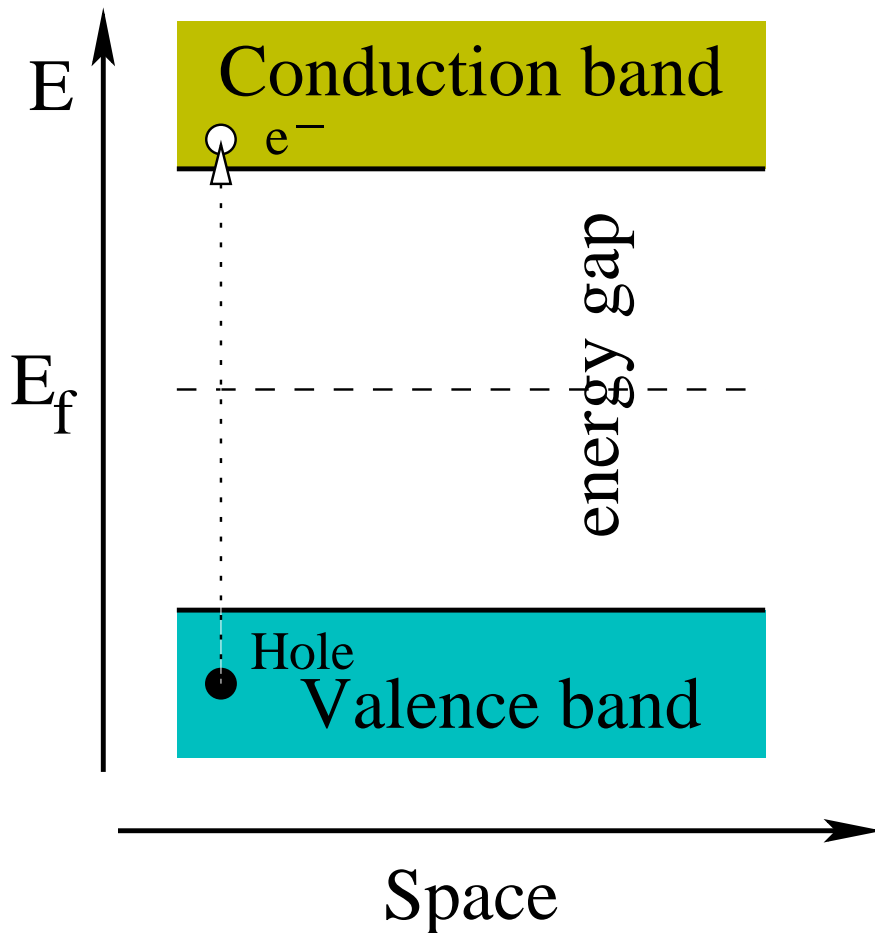




The *XMM-Newton* Spacecraft (photo: ESA)



## Semi-Conductors



Semiconductors: separation of **valence band** and **conduction band**  
 $\sim 1$  eV (=energy of visible light).

Absorption of photon produces

$$N \sim \frac{h\nu}{E_{\text{gap}}} \quad (5.7)$$

electron-hole pairs.

For Si:  $E_{\text{gap}} = 1.12$  eV; 3.61 pairs created per eV photon energy [takes into account collective effects in semiconductor]

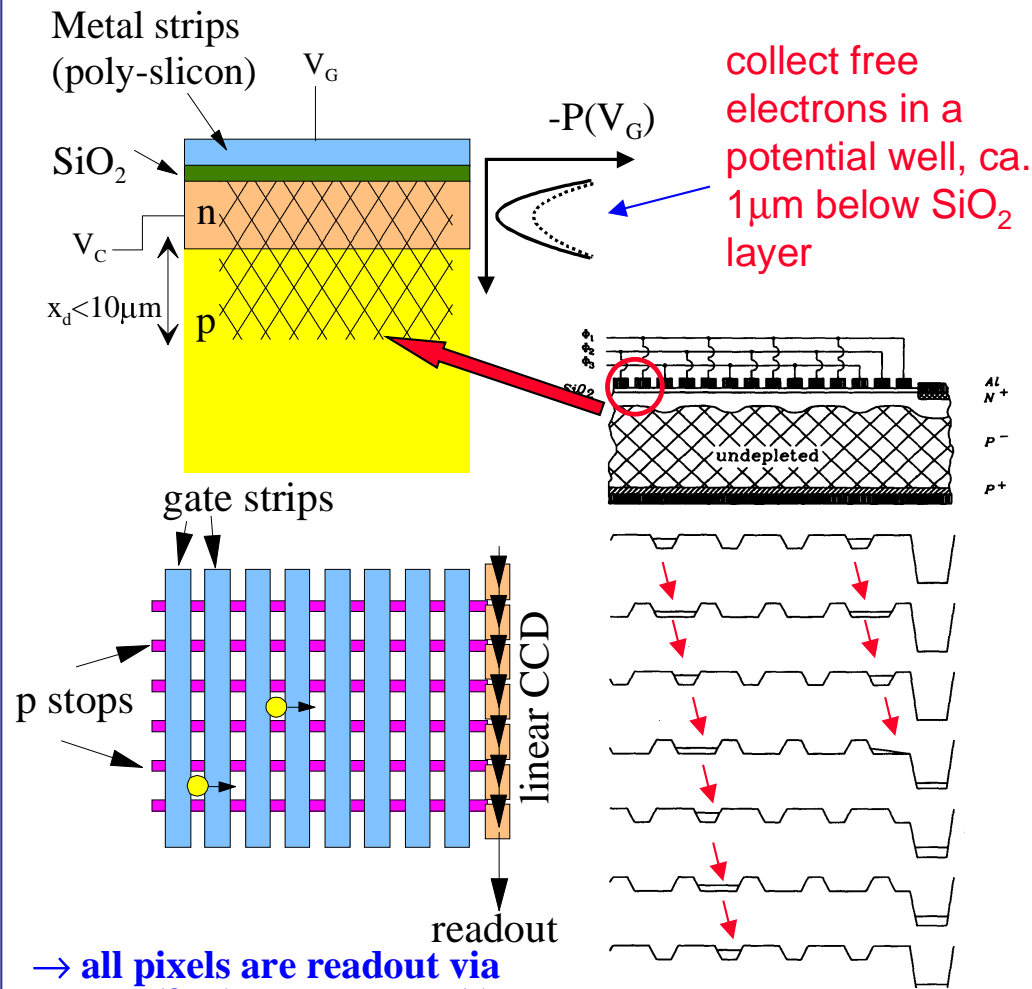
*Note:* band gap small  $\implies$  need cooling!

- optical light:  $\sim 1$  electron-hole pair
- X-rays (keV):  $\sim 1000$  electron-hole pairs

*Problem:* electron-hole pairs recombine immediately in a normal semiconductor  
 $\implies$  in practice, apply voltage to a “**pn-junction**” to separate electrons and pairs.

## ◆ Charge Coupled Devices (CCD)

### MOS structure with segmented metal layer

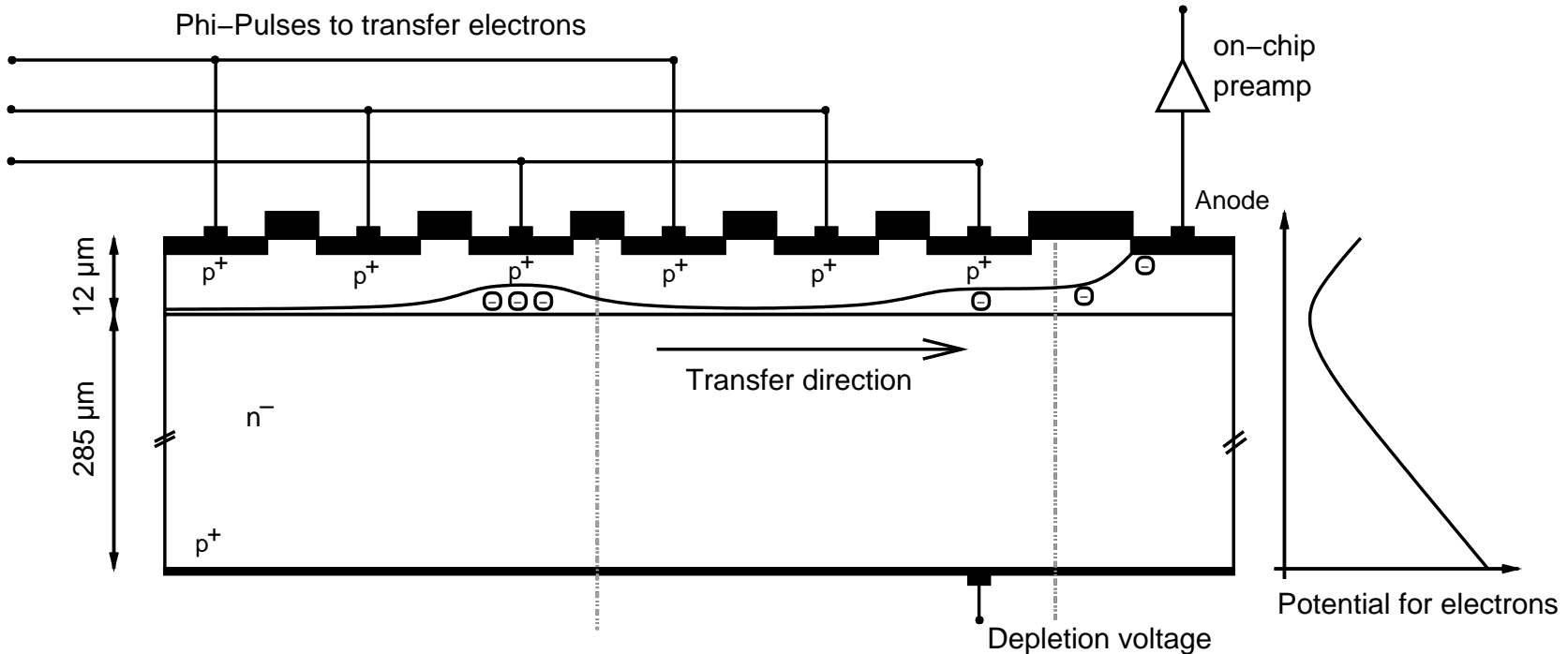


→ all pixels are readout via one (few) output node(s)

→ very few electronic channels but long readout time!

Charge transport by periodic change of gate voltage triplets ( $\phi_1, \phi_2, \phi_3$ )

# Backside Illuminated CCDs



Schematic structure of the *XMM-Newton* EPIC pn CCD.

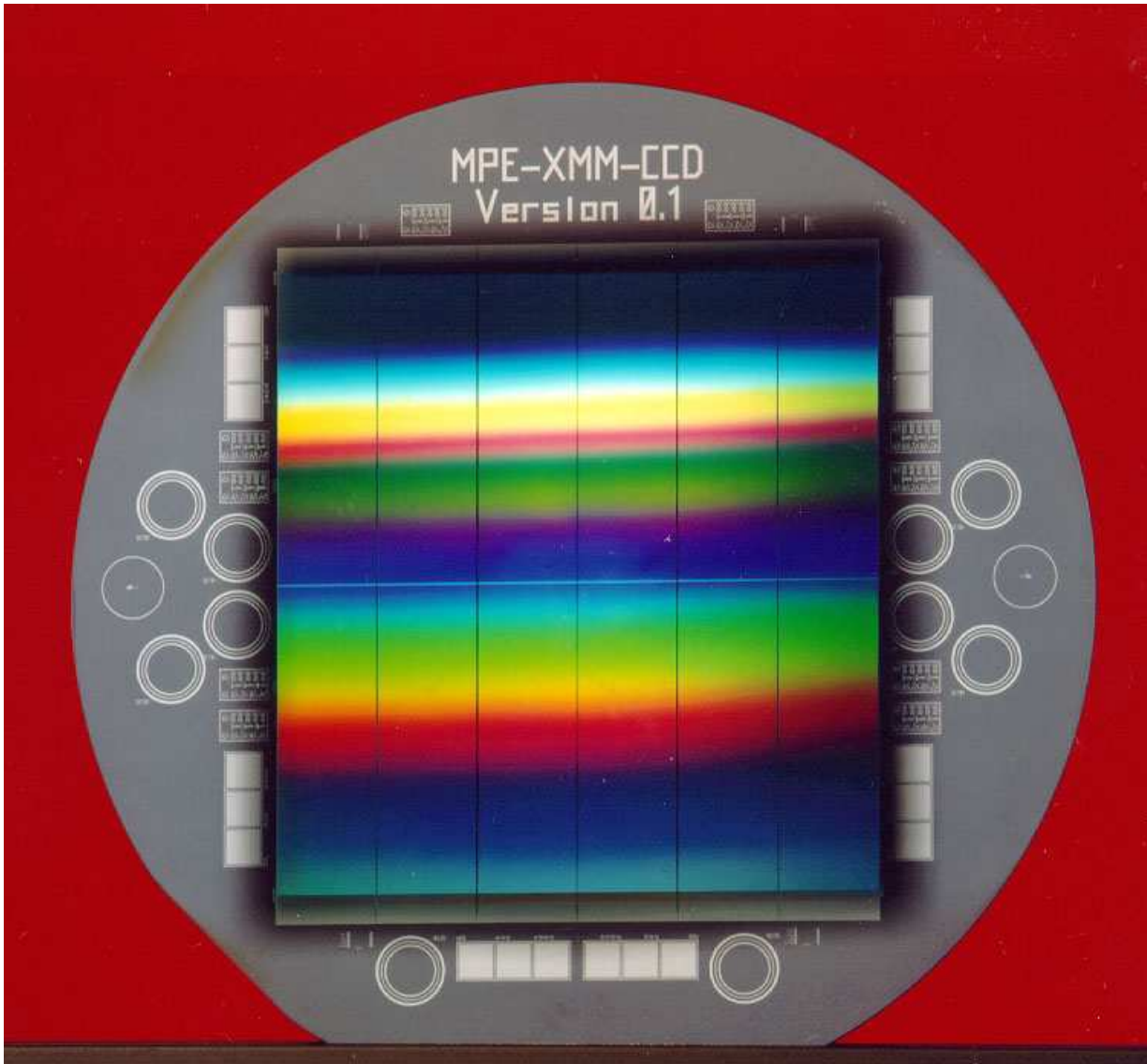
**Problem:** Infalling structure has to pass *through* structure on CCD surface  $\implies$  loss of low energy response, also danger through destruction of CCD structure by cosmic rays. . .

**Solution:** Irradiate the back side of the chip. Deplete whole CCD-volume, transport electrons to pixels via adequate electric field (“**backside illuminated CCDs**”)





## XMM-Newton: EPIC-pn CCD



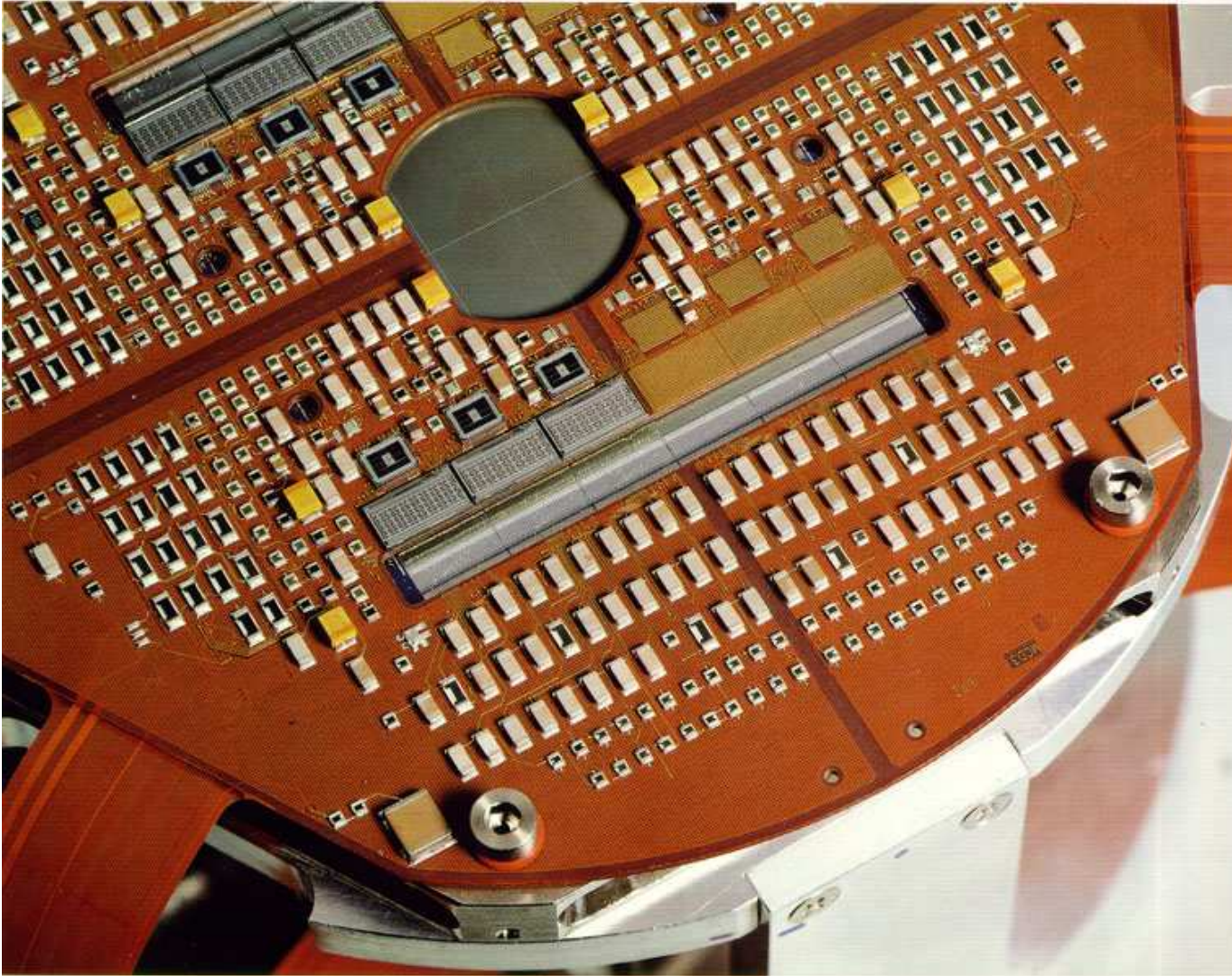
*XMM-Newton*: Array of individual backside illuminated CCDs on one Silicon wafer  $\implies$  requires extreme care during production

at the time of production one of the most complex Silicon structures ever made (diameter: 65.5 mm)





## XMM-Newton: EPIC-pn CCD

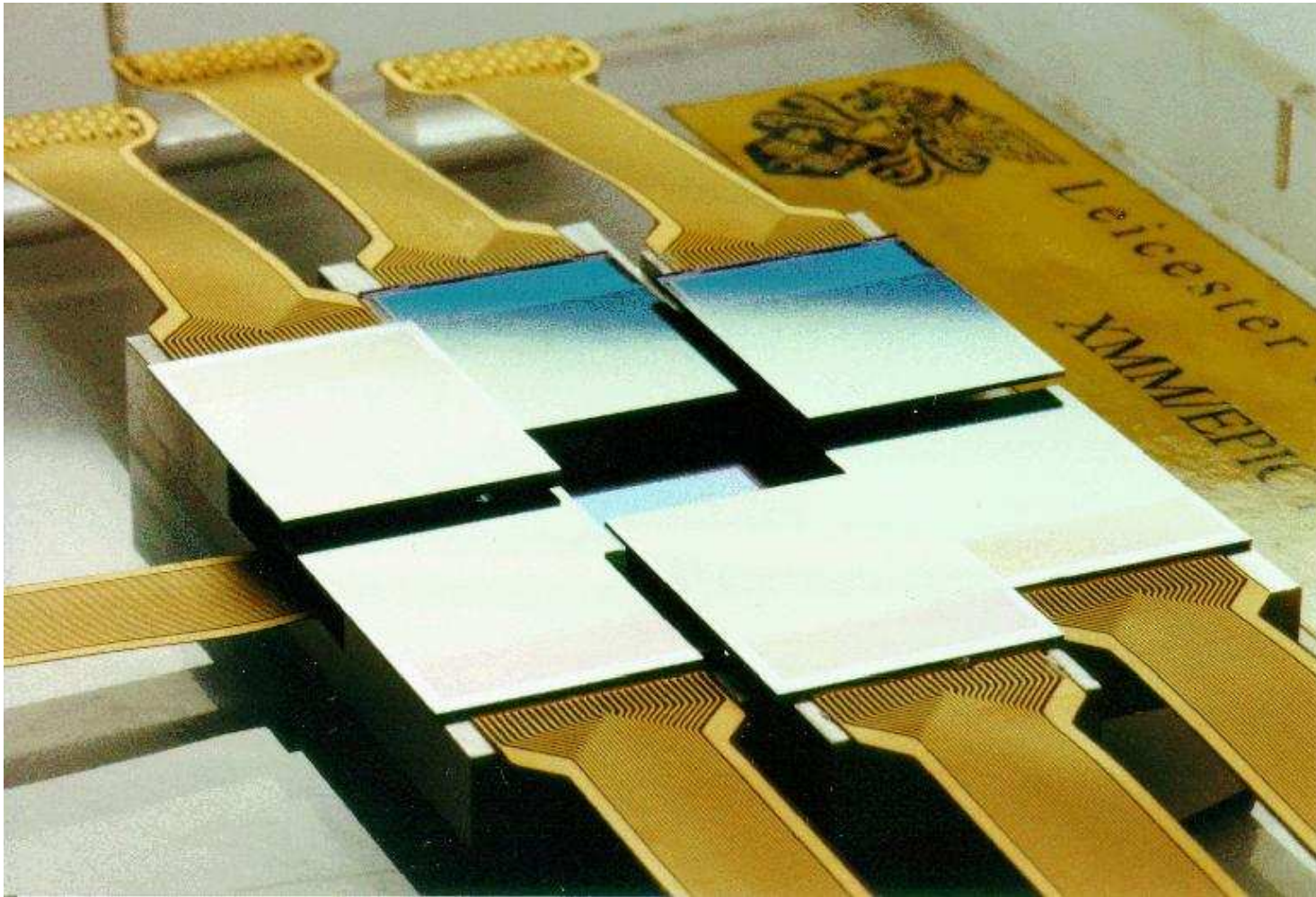


Backside of the  
EPIC-pn camera  
head





## XMM-Newton: EPIC-pn CCD



*XMM-Newton* (EPIC-MOS; Leicester): 7 single CCDs with  $600 \times 600$  pixels, mounting is adapted to curved focal plane of the Wolter telescope.



## Data Analysis

optical CCDs: measure **intensity**  $\implies$  need *long* exposures

X-ray CCDs: measure **individual photons**  $\implies$  need fast readout

bright sources: several 1000 photons per second  $\implies$  readout in  $\mu\text{s}$ !

In X-rays: **spectroscopy possible**. Typical resolution reached today:

$$\frac{\Delta E}{E} = 2.355 \sqrt{\frac{3.65 \text{ eV} \cdot F}{E}} \quad (5.8)$$

with  $F \sim 0.1 \implies \sim 0.4\%$ , so much better than gas detectors.

Energy  $\propto$  number  $N$  of initial photoelectrons  $\implies$  Energy resolution (Poisson statistics!):

$$\frac{\Delta E}{E} \propto \frac{\Delta N}{N} = \frac{N^{1/2}}{N} = \frac{1}{N^{1/2}} \propto E^{-1/2} \quad (5.9)$$

For both optical and X-rays: **sensitivity close to 100%**

Si-based CCDs are currently the best available imaging photon detectors for optical and X-ray applications.



## Data Analysis

Finite resolution of X-ray detectors has **major implications** for X-ray data analysis.

Mathematical description of the X-ray measurement process:

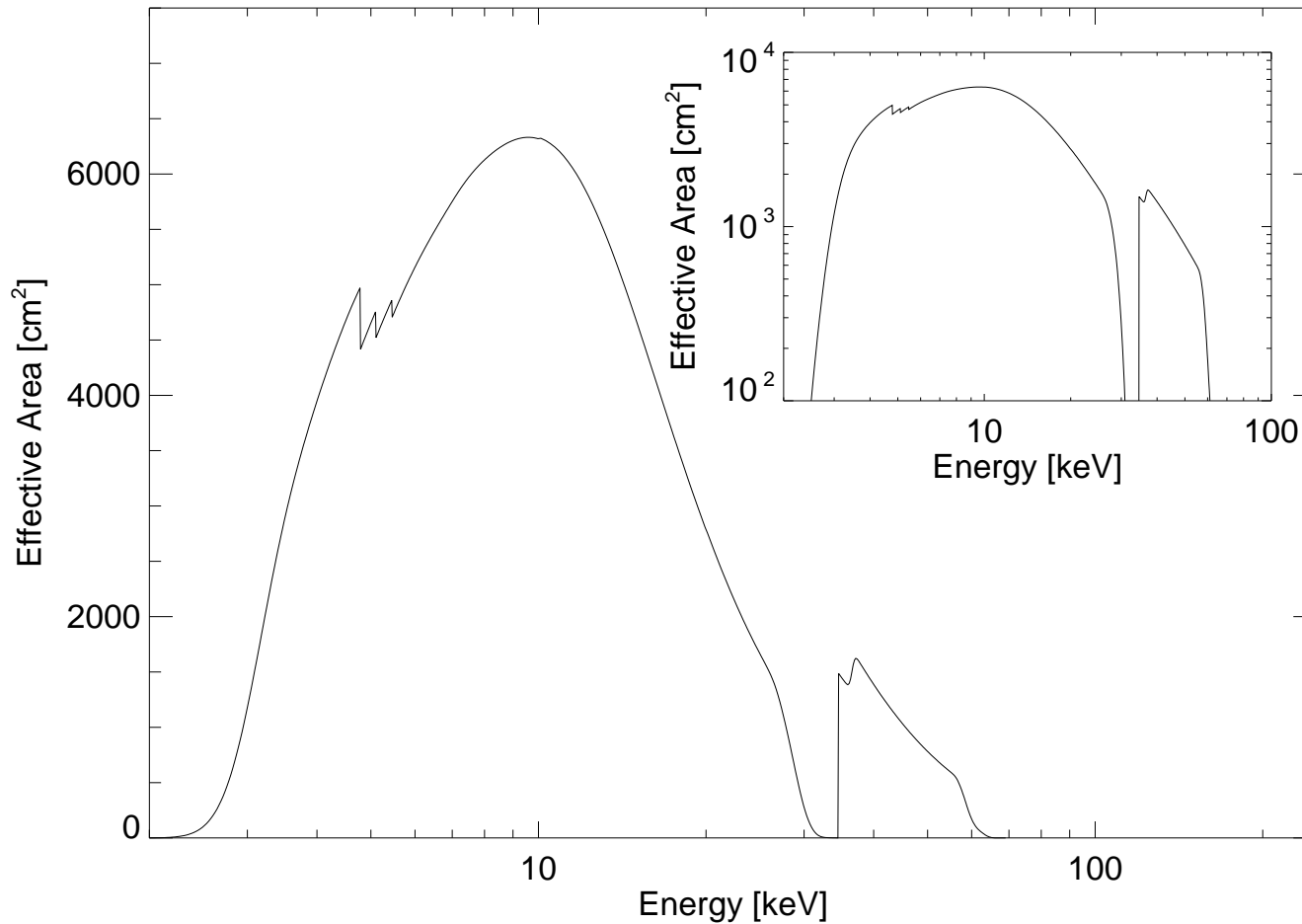
$$n_{\text{ph}}(c) = \int_0^{\infty} R(c, E) \cdot A(E) \cdot F(E) dE \quad (5.10)$$

where

- $n_{\text{ph}}(c)$ : source count rate in channel  $c$  (counts  $\text{s}^{-1}$ ),
- $F(E)$ : **photon flux density** ( $\text{ph cm}^2 \text{s}^{-1} \text{keV}^{-1}$ ),
- $A(E)$ : **effective area** (units:  $\text{cm}^2$ ),
- $R(c, E)$ : **detector response** (probability to detect photon of energy  $E$  in channel  $c$ ).



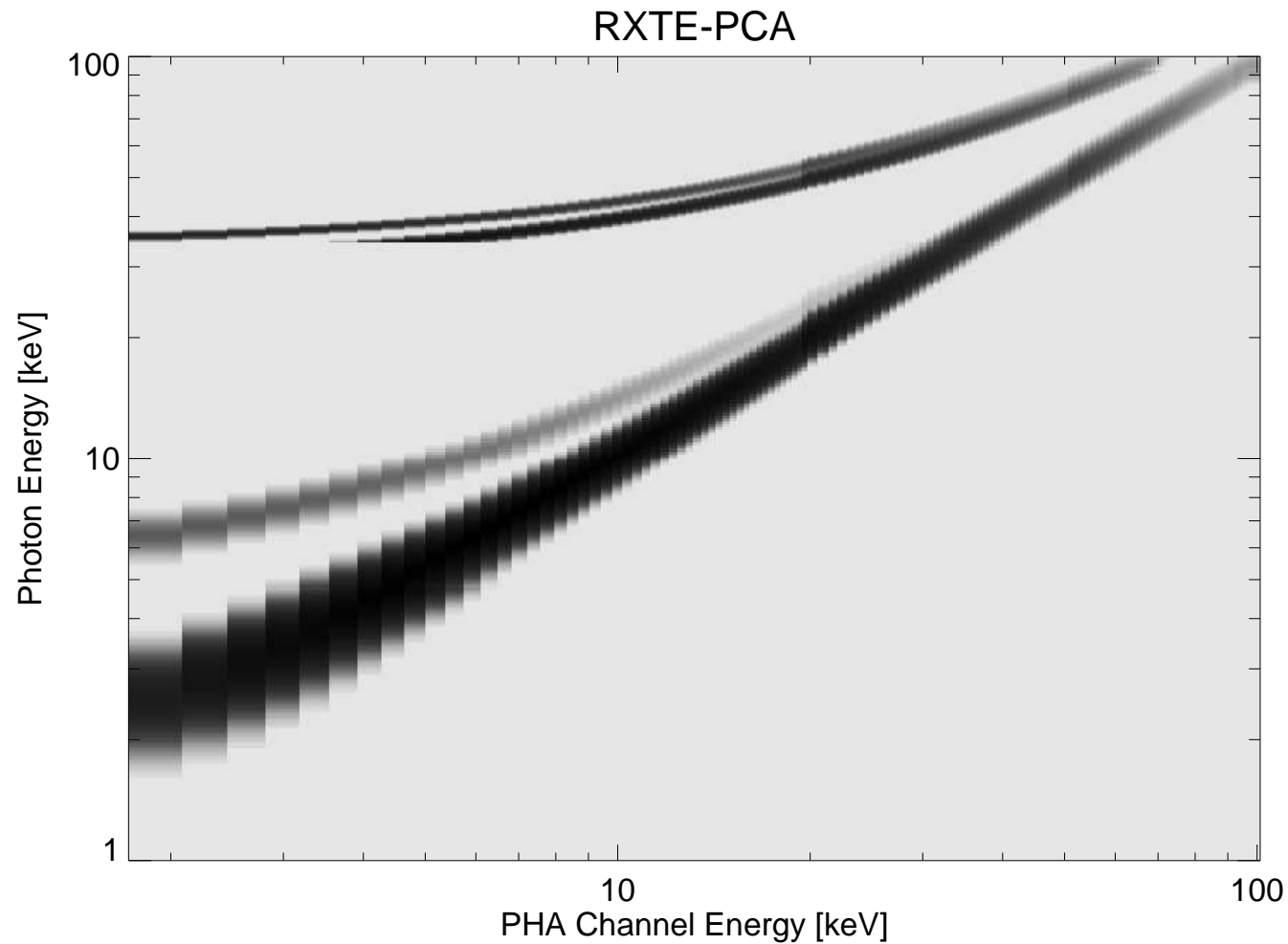
## Data Analysis



Effective Area of the Rossi X-ray Timing Explorer's Proportional Counter Array (Xe gas detector).



## Data Analysis



Response Matrix of the RXTE-PCA. Note the secondary peaks in the response caused by escaping Xe  $K\beta$  and Xe  $L\alpha$  photons.



## Data Analysis

To analyze data: discretize Eq. (5.10):

$$S_{\text{ph}}(c) = \Delta T \sum_{i=0}^{n_{ch}} A(E_i) R(c, i) F(E_i) \Delta E_i \quad (5.11)$$

where  $N_{\text{ph}}(c)$ : total source counts in channel  $c$ ,  $\Delta T$ : exposure time (s),  $A(E_i)$ : effective area in energy band  $i$  (“**ancillary response file**”, ARF),  $R(c, i)$ : **response matrix** (RMF),  $F(E_i)$ : source flux in band  $(E_i, E_{i+1})$ ,  $\Delta E_i$ : width of energy band.

Because of background  $B(c)$  (counts), what is measured is

$$N_{\text{ph}}(c) = S_{\text{ph}}(c) + B(c) \quad (5.12)$$

So estimated source count rate is

$$\tilde{S}_{\text{ph}}(c) = N_{\text{ph}}(c) - B(c) \quad (5.13)$$

with uncertainty (Poisson!)

$$\sigma_{\tilde{S}_{\text{ph}}(c)} = \sqrt{N_{\text{ph}}(c)^2 + B(c)^2} \quad (5.14)$$



## Data Analysis

To get physics out of measurement, need to find  $F(E_i)$ .

Big problem: In general, Eq. (5.11) is *not invertible*.

⇒  $\chi^2$ -minimization approach

Use a **model for the source spectrum**,  $F(E; \mathbf{x})$ , where  $\mathbf{x}$  vector of parameters (e.g., source flux, power law index, absorbing column, . . .), and calculate predicted model counts,  $M(c; \mathbf{x})$ , using Eq. 5.11).

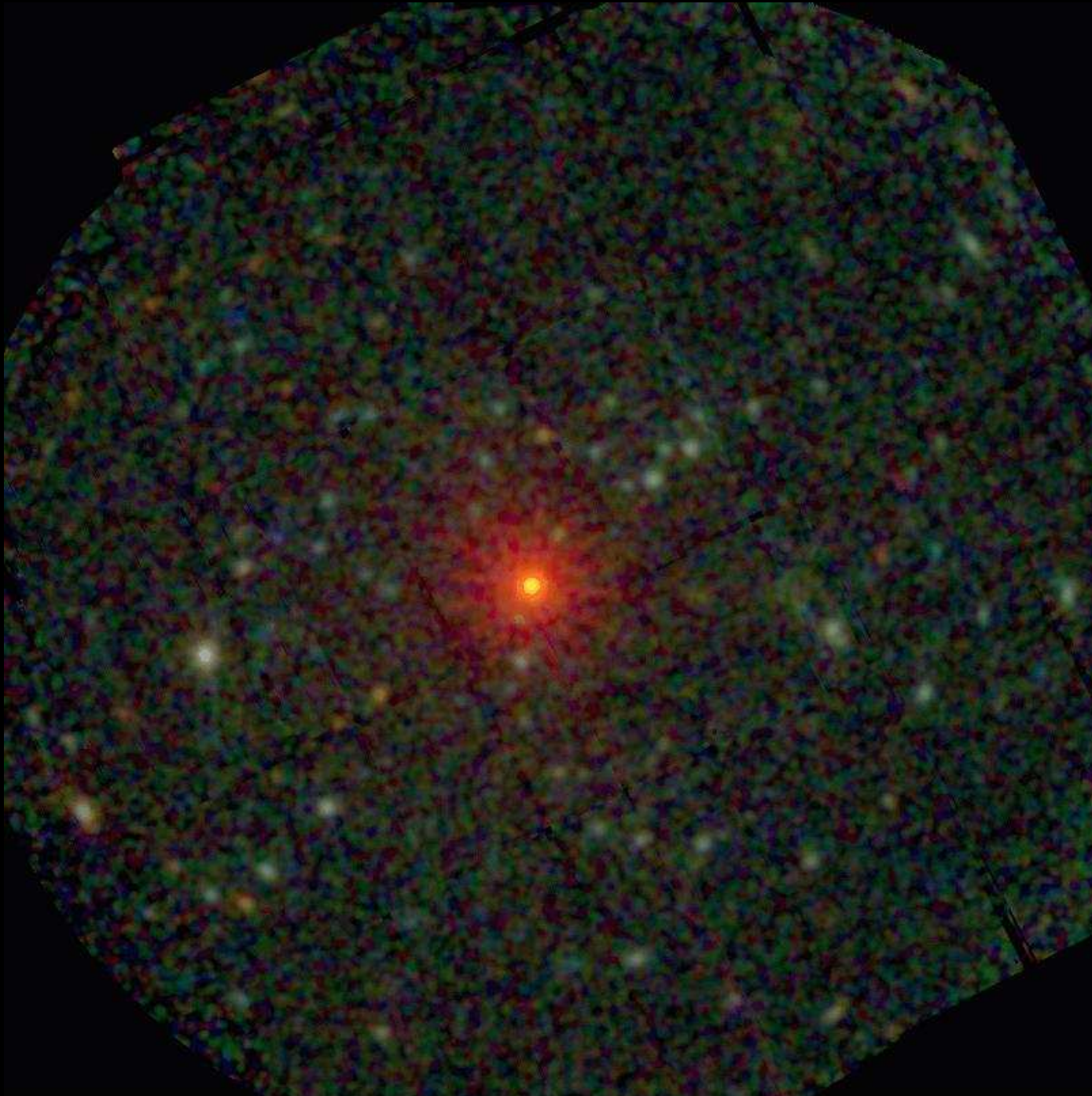
Then form  $\chi^2$ -sum:

$$\chi^2(\mathbf{x}) = \sum_c \frac{(\tilde{S}_{\text{ph}}(c) - M(c; \mathbf{x}))^2}{\sigma \tilde{S}_{\text{ph}}(c)^2} \quad (5.15)$$

Then vary  $\mathbf{x}$  until  $\chi^2$  is minimal and perform statistical test based on  $\chi^2$  whether model  $F(E; \mathbf{x})$  describes data.

Programs used: XSPEC, ISIS



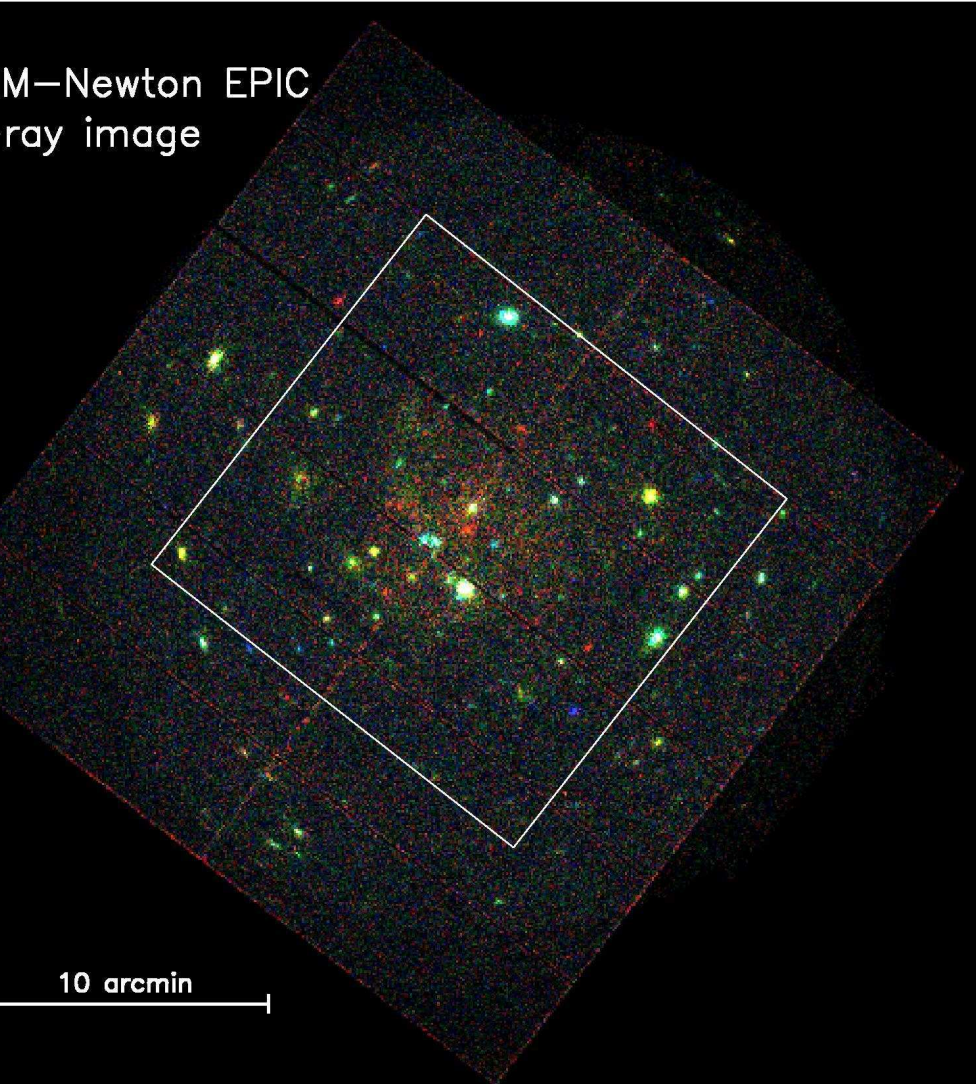


The isolated neutron star RX J0720.4-3125

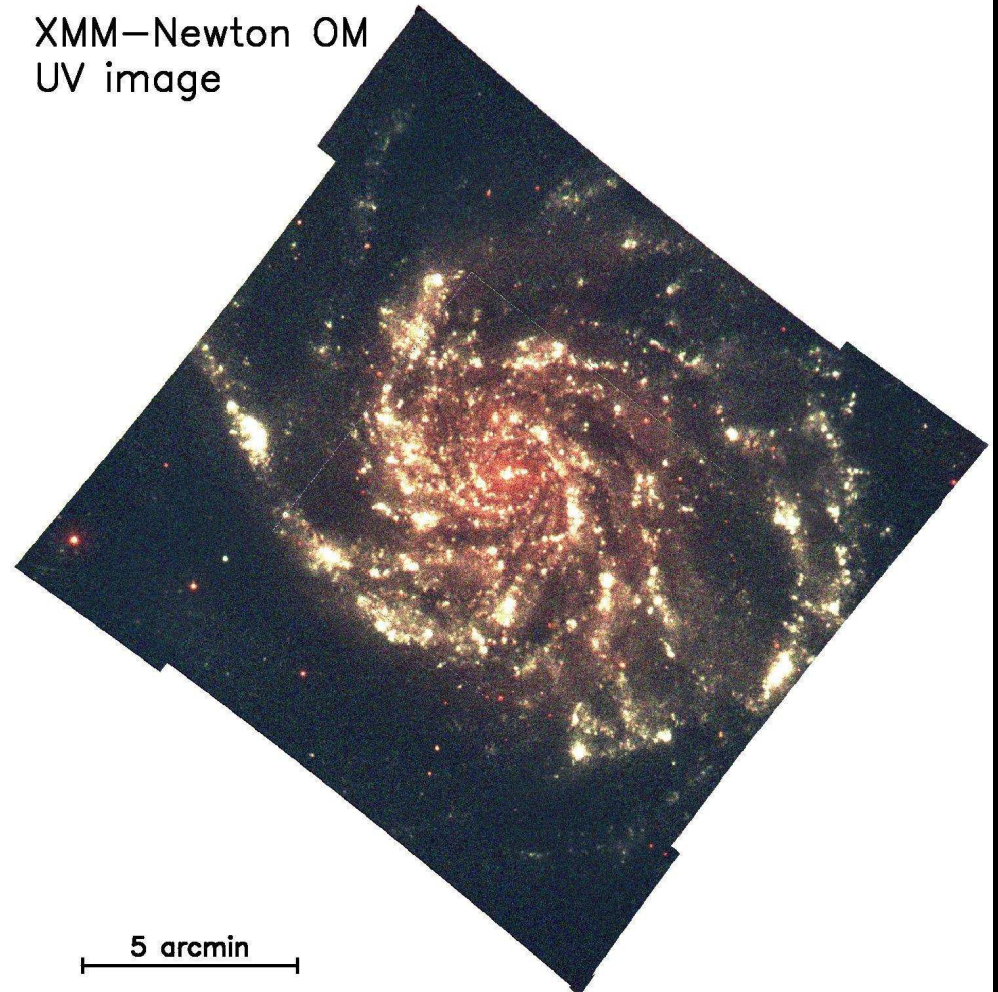
Image courtesy of F. Haberl



M-Newton EPIC  
ray image



XMM-Newton OM  
UV image

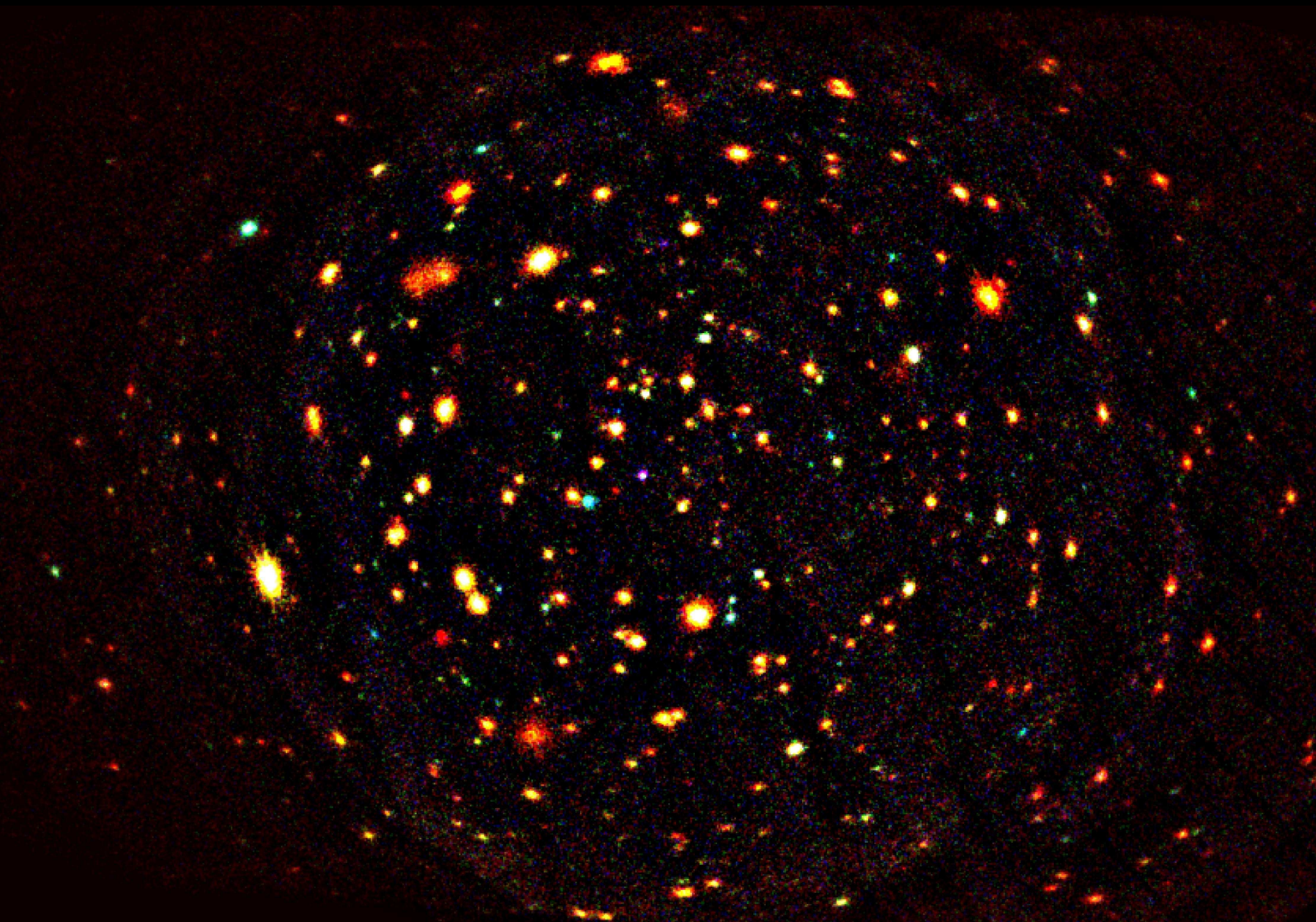


XMM-Newton X-ray & UV images of M101

European Space Agency

**Point sources: Accreting stellar-mass systems in M101.**





Lockman-Hole with *XMM-Newton*: The Universe is full of AGN!

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Aschenbach, B., 1985, Rep. Prog. Phys., 48, 579