



Broad Line Region



Properties

General properties of the BLR from observed spectrum:

- Emission lines from BLR: typical for $T \sim 10^4$ K (photoionization)
- Lines have widths of 500...25000 km s⁻¹

Thermal motion:

$$E_{\text{kin}} = \frac{1}{2} m_p v^2 = \frac{3}{2} kT \quad (8.1)$$

⇒ Typical thermal speed:

$$v \sim \sqrt{\frac{3kT}{m_p}} \sim 20 \text{ km s}^{-1} \quad (8.2)$$

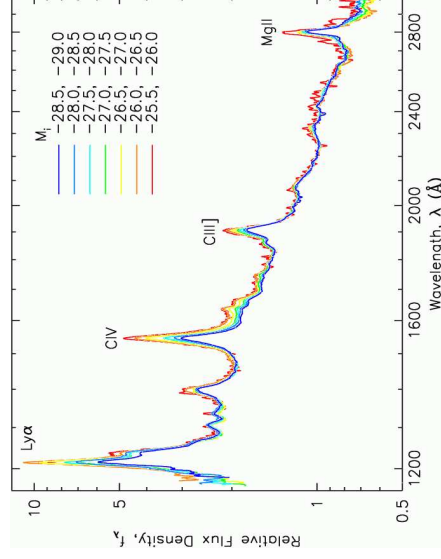
- Line broadening is due to supersonic bulk motion of BLR emitting gas
- No [O III] 4959/5007 lines ⇒ $n \gtrsim n_{\text{crit}, 5077} \sim 10^8 \text{ cm}^{-3}$.
- C iii] 1909 line sometimes broad, so $n \lesssim n_{\text{crit}, 1909} \sim 10^{10} \text{ cm}^{-3}$.

More detailed analyses show C iii] to originate in region different from Ly α emitting region, typical densities can be as high as 10^{11} cm^{-3} .

BLR: Properties



Introduction



Average quasar spectra for $2.03 < z < 2.311$, normalized to the same flux at $\lambda = 2200\text{\AA}$ (vanden Berk et al., 2004, Fig. 1)

Review: Peterson (2006)

- Overall, spectral *shape* is luminosity independent
- Baldwin effect: Emission lines (esp. Ly α and C IV 1549 \AA) weaker in more luminous objects, although shape similar.

This chapter: physics of region emitting the broad lines.

Location

Location of BLR from line width:

Assume emitting gas on a circular orbit:

Kepler speed:

$$\frac{mv^2}{r} = \frac{GMm}{r^2} \implies v = \sqrt{\frac{GM}{r}} \quad (8.3)$$

such that

$$r = \frac{GM}{v^2} = 3600 \text{ AU} \left(\frac{M}{10^6 M_\odot} \right) \left(\frac{v}{500 \text{ km s}^{-1}} \right)^{-2} \quad (8.4)$$

The BLR is located close to the central black hole.

Note: BLR probably does *not* consist of gas on circular orbits around the BH, so real size is larger.

Introduction

BLR: Properties

**BLR: Mass**

Mass determination: Determine number of emitting atoms from line strength, e.g., $H\beta$ (less influenced by radiative transfer effects than Lyman lines)

Line emissivity:

$$j_{H\beta} = n_e n_p \alpha_{H\beta} \frac{h\nu_{H\beta}}{4\pi} = n_e^2 \alpha_{H\beta} \frac{h\nu_{H\beta}}{4\pi} = 1.24 \times 10^{-25} \text{ erg s}^{-1} \text{ cm}^{-3} \text{ sr}^{-1} \frac{n_e^2}{4\pi} \quad (8.5)$$

where $\alpha_{H\beta}^{\text{eff}}$: effective recombination coefficient for $n = 4 \rightarrow n = 2$ transition (weakly temperature dependent).

Total $H\beta$ luminosity:

$$L_{H\beta} = \iint j_{H\beta} d\Omega dV = \frac{4\pi n_e^2}{3} \cdot 1.24 \times 10^{-25} f \text{ erg s}^{-1} \propto \int n_e^2 dV \quad (8.6)$$

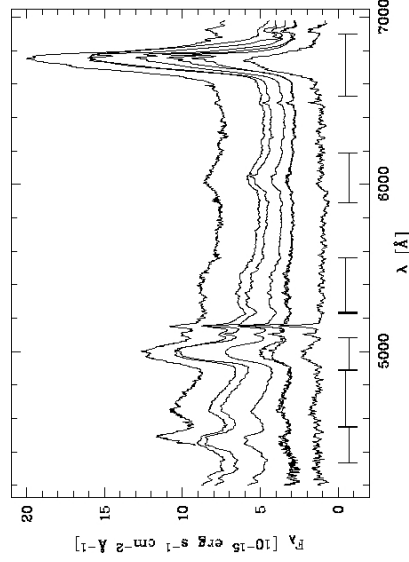
where $\int n_e^2 dV$: emission measure, and f : filling factor.

BLR lines give BLR mass of $\sim 1 M_{\odot}$ and $f \sim 10^{-3}$.

Observed lines are bright because of n^2 -proportionality and high density of BLR gas.

BLR: Properties

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**BLR Line Variability**

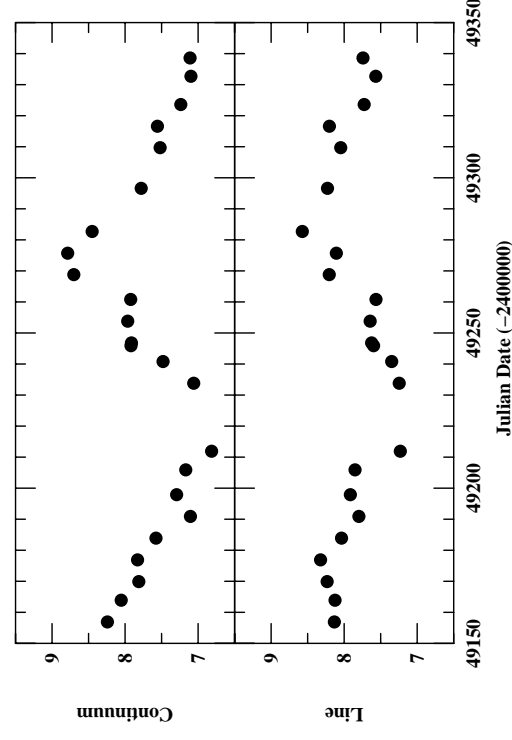
Broad lines are variable on timescales from days to years.

Spectral variability of NGC 7603 (Sy 1), top to bottom:

Dec 98, Sep 93, Aug 92, Jul 90, Oct 88, and Oct 79 (Kollatschny, Bischoff & Dietrich, 2000, Fig. 2)

Reverberation Mapping

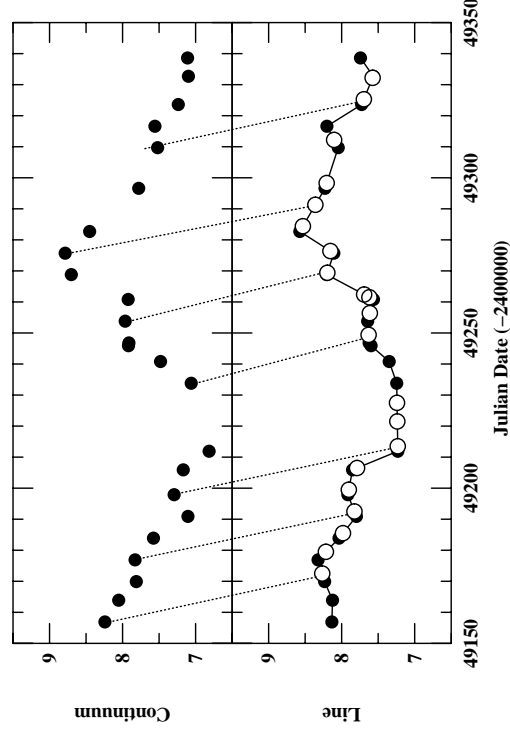
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**BLR Line Variability**

Continuum and $H\beta$ fluxes for Mkn 335 (Peterson, 2001, Fig. 23)

Reverberation Mapping

2

**BLR Line Variability**

Mkn 335: $H\beta$ line lags continuum by 15.6 d (Peterson, 2001, Fig. 24)

Reverberation Mapping

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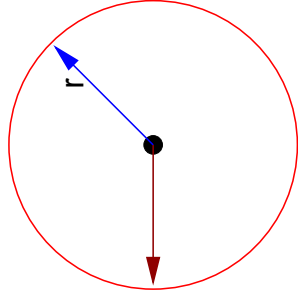


Reverberation Mapping

AGN time variability helps to map gas around Black Hole.

Flash at time $t = 0$ will illuminate gas at distance r after time delay

$$\tau = r/c \quad (8.7)$$



Gas is ionized by flash. Recombination timescale of gas is

$$\tilde{\tau} = \frac{1}{n_e \alpha} \sim 40 n_{11}^{-1} \text{ s} \quad (8.8)$$

i.e., “quasi instantaneous”.

Reverberation Mapping

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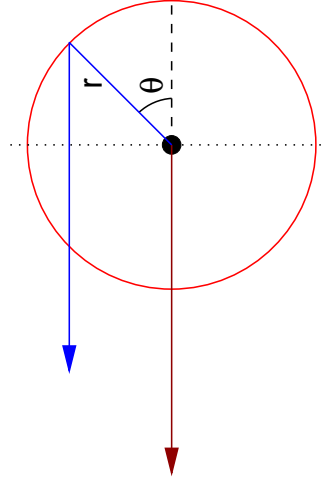
Reverberation Mapping

Light emitted by illuminated gas will be observed only after a time delay.
Extra distance traveled by light from r :

$$r' = r + r \cos \theta \quad (8.9)$$

Time delay due to light travel effect:

$$\tau = (1 + \cos \theta) \frac{r}{c} \quad (8.10)$$



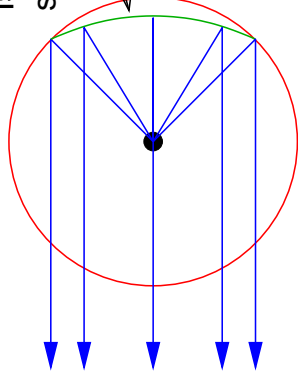
Reverberation Mapping

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Reverberation Mapping

Isodelay surface



Time delay was given by:
$$\tau = (1 + \cos \theta) \frac{r}{c} \quad (8.10)$$

Locus of points with same time delay (isodelay surface):

$$r(\tau) = \frac{c\tau}{1 + \cos \theta} \quad (8.11)$$

(i.e., a parabola)

Reverberation Mapping

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Reverberation Mapping

Assume that line intensity increases by factor ζ when BLR gas is illuminated by flash.

\Rightarrow total line emissivity increase from the isodelay surface:

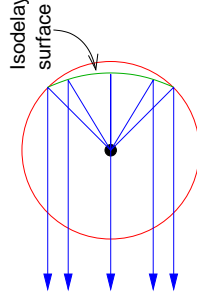
$$\Psi(\theta) d\theta = \zeta \cdot 2\pi r^2 \sin \theta d\theta \quad (8.12)$$

This assumes that conditions in BLR at r are the same everywhere.

$\Psi(r) d\theta$ corresponds to a response at time delay τ :

$$\Psi(\tau) d\tau = \Psi(\theta) d\theta \frac{d\theta}{d\tau} \quad d\tau = \zeta \cdot 2\pi r^2 \sin \theta \cdot \frac{c}{r \sin \theta} d\tau = 2\pi \zeta r c d\tau \quad (8.13)$$

where $\tau = (1 + \cos \theta) r/c$, i.e., $d\tau/d\theta = -\sin \theta \cdot r/c$ was used.



Reverberation Mapping

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Reverberation Mapping

In reality, AGN does not emit shots, but nucleus varies stochastically

⇒ Reverberation mapping (Blandford & McKee, 1982)

Describe continuum variability as $C(t)$.

Observed line variability, L , is:

$$L(t) = \int_{-\infty}^{+\infty} \Psi(\tau) C(t - \tau) d\tau \quad (8.14)$$

(“convolution” of C with kernel $\Psi(\tau)$).

Observational problem is the inverse of Eq. (8.14): Given $L(t)$, determine $\Psi(\tau)$.

- ... provided the lightcurve is long enough, as τ can be days to months!
- $C(t - \tau)$ is known from continuum variations

Reverberation Mapping



Reverberation Mapping

To solve equations such as

$$L(t) = \int_{-\infty}^{+\infty} \Psi(\tau) C(t - \tau) d\tau \quad (8.14)$$

for Ψ , the standard approach in mathematics is to determine the Fourier transform of $L(t)$:

$$L(f) = \int_{-\infty}^{+\infty} L(t) e^{-2\pi i f t} dt \quad (8.15)$$

inserting Eq. (8.14) gives

$$= \int_{-\infty}^{+\infty} \int_{-\infty}^{+\infty} \Psi(\tau) C(t - \tau) e^{-2\pi i f t} d\tau dt \quad (8.16)$$

change order of integration

$$= \int_{-\infty}^{+\infty} \Psi(\tau) \int_{-\infty}^{+\infty} C(t - \tau) e^{-2\pi i f t} dt d\tau \quad (8.17)$$

substitute $t - \tau \rightarrow t'$

$$= \int_{-\infty}^{+\infty} \Psi(\tau) \int_{-\infty}^{+\infty} C(t') e^{-2\pi i f (t'+\tau)} dt' d\tau \quad (8.18)$$

Reverberation Mapping



Reverberation Mapping

Therefore

$$L(f) = \int_{-\infty}^{+\infty} \Psi(\tau) \int_{-\infty}^{+\infty} C(t') e^{-2\pi i f (t'+\tau)} dt' d\tau \quad (8.18)$$

move constant outside of the inner integral and drop the prime

$$= \int_{-\infty}^{+\infty} \Psi(\tau) e^{-2\pi i f \tau} \int_{-\infty}^{+\infty} C(t) e^{-2\pi i f t} dt d\tau \quad (8.19)$$

since the inner integral is a constant this gives

$$= \int_{-\infty}^{+\infty} e^{-2\pi i f \tau} \Psi(\tau) d\tau \cdot \int_{-\infty}^{+\infty} C(t) e^{-2\pi i f t} dt \quad (8.20)$$

which is the product of the Fourier transforms of C and Ψ :

$$L(f) = \Psi(f) \cdot C(f) \quad (8.21)$$

The Fourier transform of L is the product of the Fourier transforms of Ψ and C .

This is just the convolution theorem of Fourier theory.

Reverberation Mapping



Reverberation Mapping

Blandford & McKee (1982): Since $L(f)$ and $C(f)$ can be measured, we can determine $\Psi(f)$ and then do an inverse FT:

$$\Psi(t) = \frac{1}{2\pi} \int_{-\infty}^{+\infty} \Psi(f) e^{+2\pi i f t} df \quad (8.22)$$

so we can in principle measure $\Psi(f)$.

In practice: Fourier approach does not work.

Reason: Sparse sampling of lightcurves

⇒ Potential of reverberation mapping has not yet been realized!

What is possible is to determine size of BLR from reverberation mapping

Reverberation Mapping



Reverberation Mapping

To get BLR size from reverberation, work in time domain and determine cross correlation of $L(t)$ and $C(t)$:

$$\text{CCF}(\tau) = \int_{-\infty}^{+\infty} L(t)C(t-\tau)dt \quad (8.23)$$

insert $L(t)$ from Eq. (8.14):

$$= \int_{-\infty}^{+\infty} C(t-\tau) \int_{-\infty}^{+\infty} C(t-\tau')\Psi(\tau')d\tau' dt \quad (8.24)$$

change order of integration

$$= \int_{-\infty}^{+\infty} \Psi(\tau') \int_{-\infty}^{+\infty} C(t-\tau)C(t-\tau')dt d\tau' \quad (8.25)$$

and introduce the auto correlation function, ACF,

$$= \int_{-\infty}^{+\infty} \Psi(\tau') \text{ACF}(\tau-\tau')d\tau' \quad (8.26)$$

where

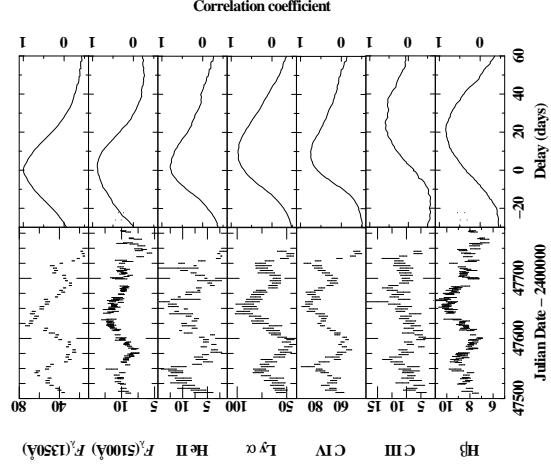
$$\text{ACF}(\tau) = \int_{-\infty}^{+\infty} C(t)C(t-\tau)dt \quad (8.27)$$

Reverberation Mapping

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Reverberation Mapping



CCF has a peak at the lag for which $C(t)$ and $L(t)$ match best
 \Rightarrow Based on the CCF we can measure the size of the BLR.

In practice, one has to interpolate $C(t)$ and $L(t)$ to determine CCF using a discretized version of the integrals shown previously.

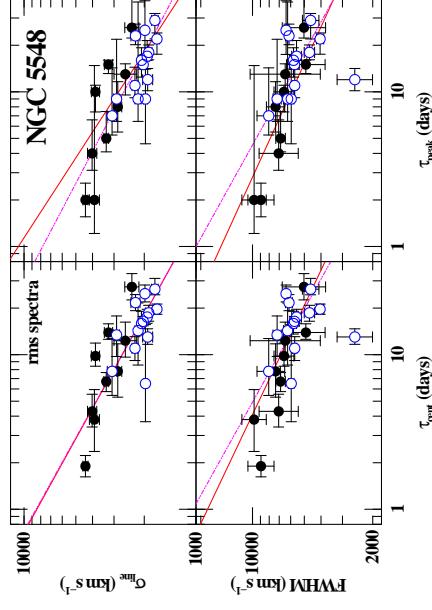
Light curves and CCFs with respect to 1350Å UV continuum for NGC 5548 (Clavel et al., 1992; Peterson, 2001).

Reverberation Mapping

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Reverberation Mapping



(Peterson et al., 2004, Fig. 3)

As expected: broadest lines vary fastest.

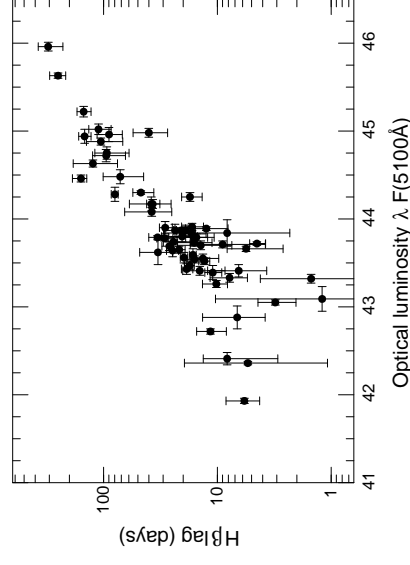
Also found: higher ionization lines vary fastest \Rightarrow BLR has a stratified ionization structure

Reverberation Mapping

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Reverberation Mapping



(Peterson, 2006, Fig. 6)

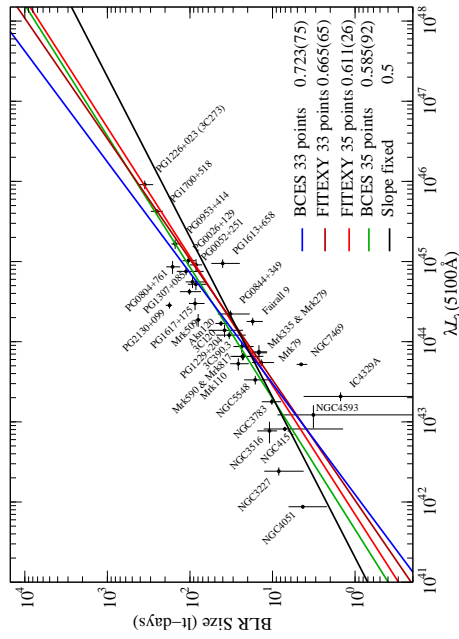
The photoionization parameter is $U \propto L_i / (D^2 n_e)$ (Eq. 7.20) so for U , n_e constant, we expect $D \propto L_i^{0.5}$. This is roughly what is observed!
 $U = \text{const.}$ is expected since AGN spectra are all similar, so conditions in BLR are similar everywhere ("locally optimally emitting clouds").

Reverberation Mapping

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Reverberation Mapping



(Kaspi et al., 2005, Fig. 2)

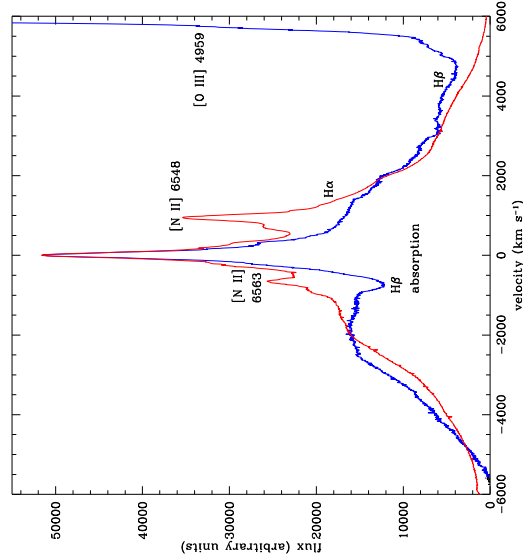
In detail, things are more complicated, and slope is steeper than 0.5: $R \propto L^{0.67 \pm 0.05}$.
 \Rightarrow ionization parameter, density, and spectral shape depend somewhat on L .

Reverberation Mapping



What is the BLR?

Classical assumption: BLR is collection of cold clouds embedded in hot gas ("two phase medium", Krolik, McKee & Tarter 1981)
 \Rightarrow We expect to see evidence for emission from individual clouds.
Problem: BLR line profiles are *always* smooth!
 \Rightarrow Does the BLR consist of many small clouds?



NGC 4151 (Sy 1; Arav et al., 1998, Fig. 1)

Nature of BLR

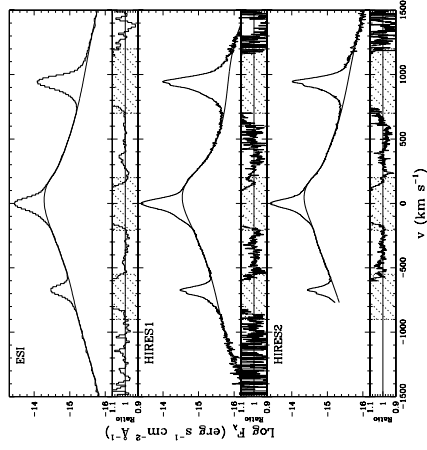


What is the BLR?

Observations show always smooth BLR profiles, even for lowest luminosity AGN such as NGC 4395 (the lowest luminosity Sy 1 known)

\Rightarrow this is only possible if there is a very large number of clouds such that it is better to speak about a "clumpy" gas.

For NGC 4151, Arav et al. (1998) find that there must be $\gtrsim 3 \times 10^7$ clouds, for NGC 4395, $> 10^5$ clouds are required (Laor et al., 2006). Since $R_{BLR, 4395} \sim 10^{14}$ cm from reverberation, $R_{cloud, 4395} \sim 10^{12}$ cm, i.e., much smaller than stars.



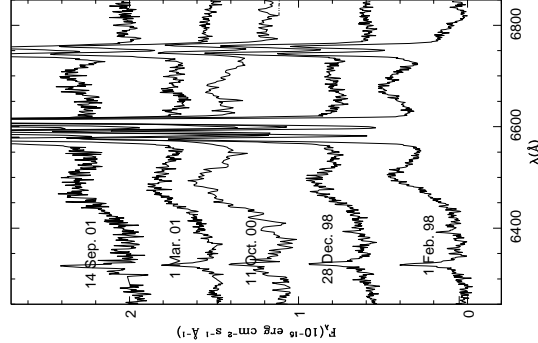
(NGC 4395 Laor et al., 2006)

The BLR cannot consist of individual clouds; it rather is a smooth(ish) gas cloud surrounding the BH.

Nature of BLR



What is the BLR?

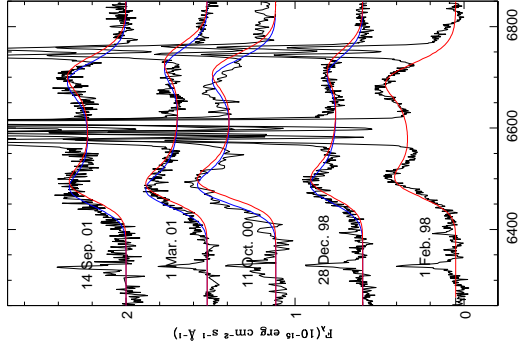


In some AGN BLR profiles are double humped

NGC 1097 (Sy1; Storchi-Bergmann et al., 2003, Fig. 8)

Nature of BLR

What is the BLR?

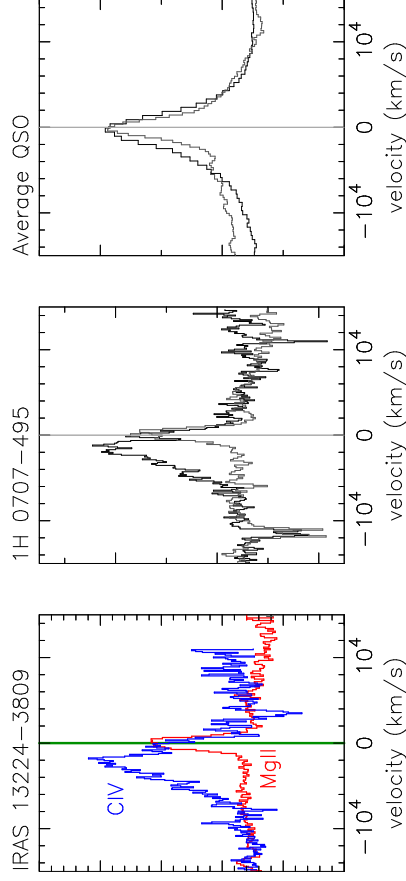


In some AGN BLR profiles are double humped
 ⇒ is BLR the outer edge of accretion disk?

NGC 1097 (Sy1; Storchi-Bergmann et al., 2003, Fig. 8)

Nature of BLR

Winds



(Leighly & Moore, 2004)

While disk emission explains part of BLR emission, not all features can be explained: Sy 1 show asymmetric line profiles: Higher ionization lines are shifted bluewards ⇒ Outflow!

Nature of BLR

Winds

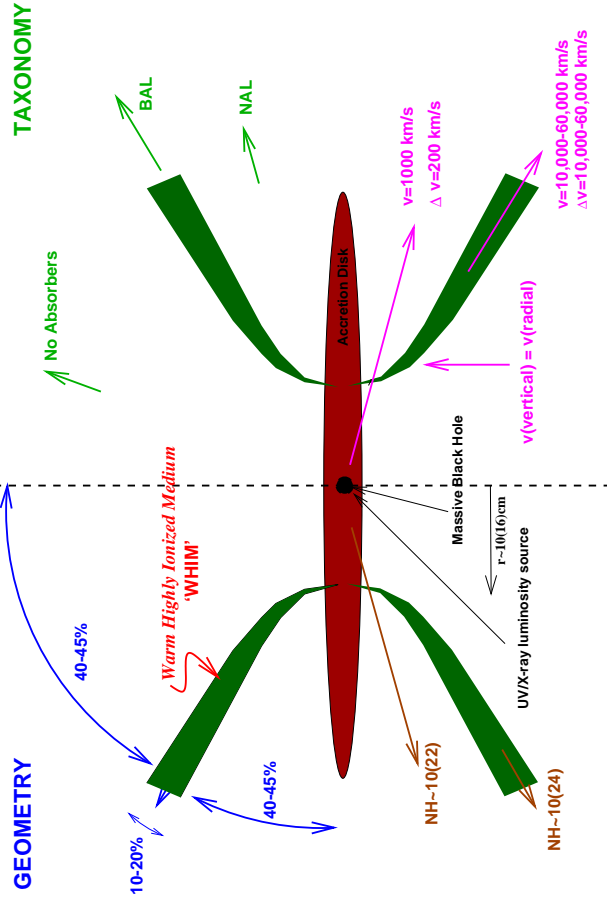
There are also findings that the line blueshift increases with AGN luminosity: evidence for radiatively driven outflows?

Is the BLR an accretion disk wind?

Driving mechanisms:

- Electromagnetic? related to jet?
- Radiatively driven? related to high AGN luminosity

Nature of BLR



PHYSICS

Log radial scale

KINEMATICS

BH Masses

Regardless of the detailed interpretation of the BLR, measurements of the BLR allow for a (statistical) determination of the mass of the Black Hole:

The virial theorem of mechanics states:

$$2T = m\Delta V^2 = \eta \cdot G \frac{m M_{\text{BH}}}{r_0} = U \tag{8.28}$$

where m mass of a test particle, r_0 : characteristic BLR radius, ΔV : velocity dispersion, and η : geometry dependent factor.

Since r_0 and ΔV can be measured from reverberation mapping and the line width:

$$M_{\text{BH}} = f \cdot \frac{r \Delta V^2}{G} \tag{8.29}$$

where f is a geometry dependent normalization factor, obtained from calibration measurements.

Note: For virial theorem to apply, motion of BLR must be dominated by gravity.

BH Masses

To derive the virial theorem, we look at a system of particles of mass m_i . The acceleration on particle i by all other particles is

$$\vec{r} = \sum_{j \neq i} \frac{G m_j (\mathbf{r}_j - \mathbf{r}_i)}{|\mathbf{r}_j - \mathbf{r}_i|^3} \tag{8.30}$$

... scalar product with $m_i \mathbf{r}_i$

$$m_i \mathbf{r}_i \cdot \vec{r}_i = \sum_{j \neq i} \frac{G m_i m_j \mathbf{r}_i \cdot (\mathbf{r}_j - \mathbf{r}_i)}{|\mathbf{r}_j - \mathbf{r}_i|^3} \tag{8.31}$$

... since

$$\frac{1}{2} \frac{d^2 r_i^2}{dt^2} = \frac{d}{dt} (\dot{\mathbf{r}}_i \cdot \mathbf{r}_i) = \dot{\mathbf{r}}_i \cdot \dot{\mathbf{r}}_i + \dot{\mathbf{r}}_i \cdot \mathbf{r}_i + \dot{\mathbf{r}}_i \cdot \mathbf{r}_i$$

... therefore Eq. (8.31)

$$\frac{1}{2} \frac{d^2}{dt^2} (m_i r_i^2) - m_i r_i^2 = \sum_{j \neq i} \frac{G m_i m_j \mathbf{r}_i \cdot (\mathbf{r}_j - \mathbf{r}_i)}{|\mathbf{r}_j - \mathbf{r}_i|^3} \tag{8.33}$$

Summing over all particles in the system gives

$$\frac{1}{2} \sum_i \frac{d^2}{dt^2} (m_i r_i^2) - \sum_i m_i r_i^2 = \sum_i \sum_{j \neq i} \frac{G m_i m_j \mathbf{r}_i \cdot (\mathbf{r}_j - \mathbf{r}_i)}{|\mathbf{r}_j - \mathbf{r}_i|^3} \tag{8.34}$$

$$= \frac{1}{2} \left(\sum_{i, j \neq i} \frac{G m_i m_j \mathbf{r}_i \cdot (\mathbf{r}_j - \mathbf{r}_i)}{|\mathbf{r}_j - \mathbf{r}_i|^3} + \sum_{j, i \neq j} \frac{G m_j m_i \mathbf{r}_j \cdot (\mathbf{r}_i - \mathbf{r}_j)}{|\mathbf{r}_i - \mathbf{r}_j|^3} \right)$$

$$= \frac{1}{2} \left(\sum_{i, j \neq i} \frac{G m_i m_j}{|\mathbf{r}_i - \mathbf{r}_j|^3} + \sum_{j, i \neq j} \frac{G m_j m_i}{|\mathbf{r}_j - \mathbf{r}_i|^3} \right)$$

$$= -\frac{1}{2} \sum_{i, j \neq i} \frac{G m_i m_j}{|\mathbf{r}_i - \mathbf{r}_j|^2} \tag{8.36}$$

$$(8.37)$$

Thus, identifying the total kinetic energy, T , and the gravitational potential energy, U , gives

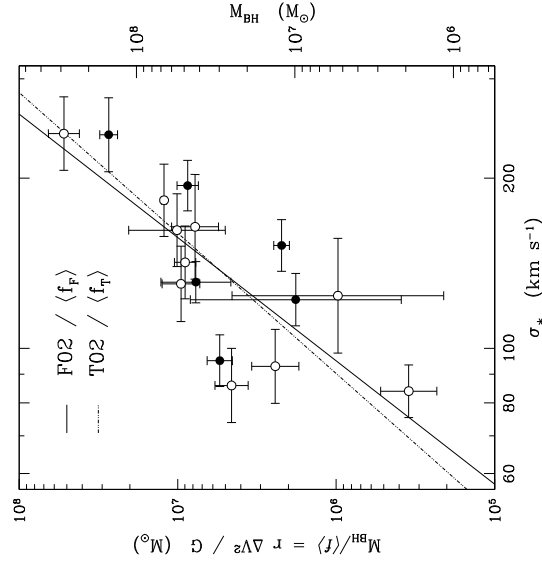
$$2T - U = \frac{1}{2} \frac{d^2}{dt^2} \sum_i m_i r_i^2 = 0 \tag{8.38}$$

in statistical equilibrium.

Thus we find the virial theorem: $T = \frac{1}{2}|U|$



BH Masses



Onken et al. (2004):
Calibration of reverberation mapping based on other AGN mass determinations (M - σ -relationship, see later):

$$f = 5.5 \pm 1.9$$

⇒ Masses determined from reverberation mapping are exact to ~35%.



BH Masses

Since $M \propto r \Delta V^2$, for a single object ($M = \text{const.}$), we expect $r \propto \Delta V^{-1/2}$.

Observations: Line width versus lag scales as

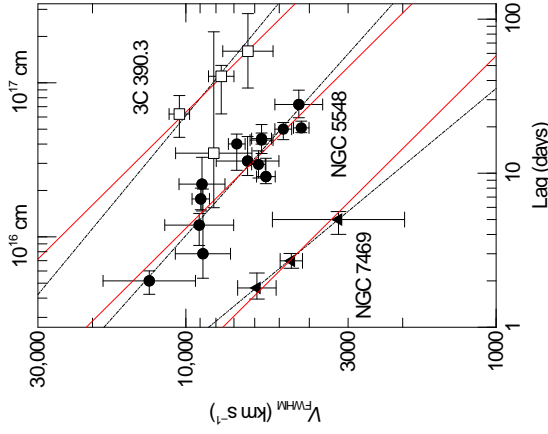
$$\log V_{\text{rms}} = a + b \log c\tau \quad (8.39)$$

with $b = -1/2$, as expected!
solid lines in the figure

Masses obtained from lag and V (Peterson & Wandel, 2000):

- NGC 7469: $8.4 \times 10^6 M_{\odot}$
- NGC 5548: $5.9 \times 10^7 M_{\odot}$
- 3C 390.3: $3.2 \times 10^8 M_{\odot}$

(Peterson, 2001)

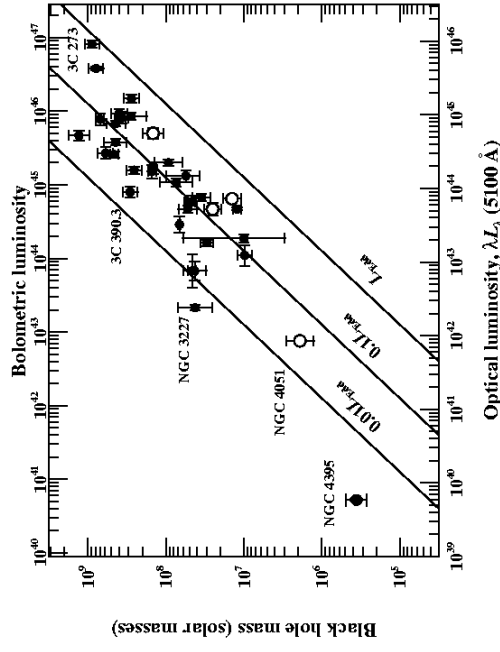


BH Masses

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BH Masses



Until today: 36 AGN with reverberation measurements.
Mass-luminosity relationship: typical efficiency for AGN accretion is 10%.

Peterson (2006); Xian AGN workshop

BH Masses

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Narrow Line Region



General Properties

Reminder: Narrow Line Region (Osterbrock, 1989, 1991):

- Line widths 200–700 km s⁻¹
- Allowed lines from H I, He I, He II
- Forbidden lines: strongest: [O III] $\lambda\lambda$ 4959, 5007, [N II] $\lambda\lambda$ 6548, 6583
- Studies for Sy 1 problematic as narrow and broad lines blend
- Gas diagnostics from [O II] $\lambda\lambda$ 5007/4959 and 4363 and [S II] λ 6716/ λ 6731 ratios: $T \sim 15000\text{K}$ and $n_e \sim 3 \times 10^3\text{cm}^{-3}$, possible density gradient is observed
- NLR mass from $H\beta$ emissivity and assuming spherical symmetry: $L_{H\beta} = 2 \times 10^8 L_\odot \Rightarrow M \sim 7 \times 10^5 (10^4/N_e) M_\odot$ and $R \sim 20 f^{-1/3} (10^4/N_e)^{2/3}$ pc, i.e., 90 pc with an estimated filling factor of $f = 10^{-2}$.

General Properties

1



NLR Modeling

Models of the NLR aim to

- Determine flux of lines
- Reproduce line ratios and equivalent widths of narrow lines
- provide estimates for the line width

See talk by B. Groves at Xian AGN meeting for details:

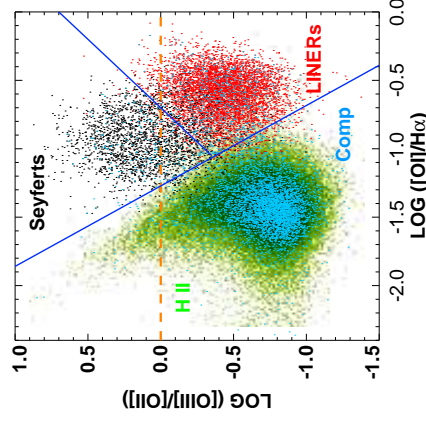
<http://agn06.ihep.ac.cn/>

NLR Models

1



Nature of the NLR



(Kewley et al., 2006)

Reminder: Line ratios are used to define the different types of Seyfert galaxies.

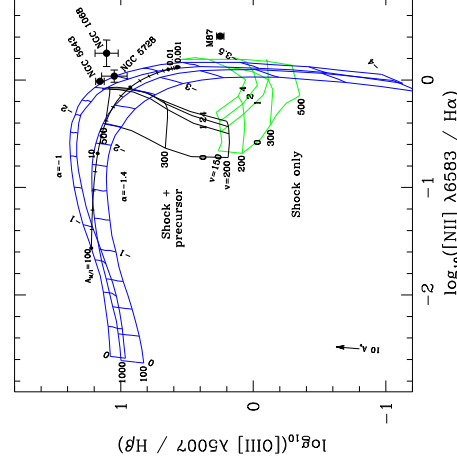
(Kewley et al., 2006; Baldwin, Phillips & Terlevich, 1981)

NLR Models

2



Nature of the NLR



(Allen et al., 1999, Fig. 1)

Photoionization models can reproduce ratios of strong observed lines such as [O III] 5007/H β ratio and absolute luminosity of these lines.
BUT: Strengths of high and low ionization stages cannot be reproduced simultaneously!
 \Rightarrow rules out the simplest photoionization models!
 Potential solution: shock ionization (Allen et al., 1999, and therein!)
 Photons produced after a shock (where $T \sim 10^6\text{K}$) can ionize pre-shock gas
 \Rightarrow combination of collisional ionization and photoionization.
 Shock possibly related to jet/radio outflow.

NLR Models

3



Nature of the NLR

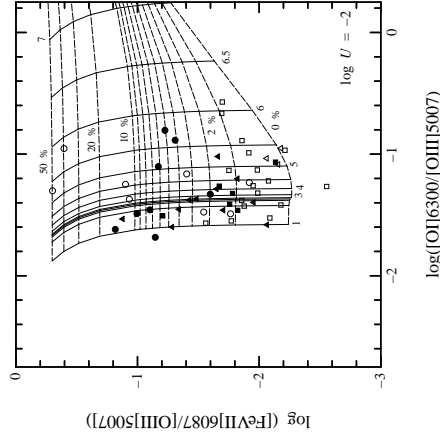
Alternative explanation of unusual line ratios: two and multiple zone NLR models. Triggered, e.g., by too strong Fe line emission

For example: High ionization nuclear emission region (HINER) models (Murayama & Taniguchi, 1998): 10% of NLR emission from high density ($n_e \sim 10^9 \text{ cm}^{-3}$) photoionized region within torus which is responsible for emission from high ionized species.

Similar models have also been proposed, e.g. by Komossa & Schulz (1997) and by many other authors.

Problem: Too many free parameters \Rightarrow Search for physical constraints!

E.g., matter bounded vs. ionization bounded clouds, locally optimally emitting clouds,...



(Murayama & Taniguchi, 1998, Fig. 2)

NLR Models



Imaging of the NLR

Line diagnostics: size of NLR: $\sim 90 \text{ pc}$ or larger.

\Rightarrow for the nearest AGN imaging is possible

(e.g., Circinus galaxy: $d = 4 \text{ Mpc} \rightarrow 1'' = 19 \text{ pc}$.)

Imaging of NLR possible either using integral field spectroscopy or narrow-band filters.

Often used: narrow-band $\text{H}\alpha$ and $[\text{O III}]$ filters.

Results (see, e.g., Pogge 1988):

- ionization cones,
- stratified ionization structure in many AGN.
- \Rightarrow Extended Narrow Line Region (ENLR).

In the following: two typical examples: NGC 1068 (=M77) and Circinus galaxy.

Similar studies have been performed for $\gtrsim 30$ nearby AGN.

Imaging of NLR



NGC 1068 (M77), NOAO 20''

Francois and Shelley Pelletier/Adam Block/NOAO/AURA/NSF



NGC 1068



NGC 1068 (M77) (Bill Arnett)

NGC 1068 (M77): Seyfert 2 nucleus at $z = 0.003$ ($d \sim 15 \text{ Mpc}$), one of the best studied galaxies in the sky.

Imaging of NLR



NGC 1068

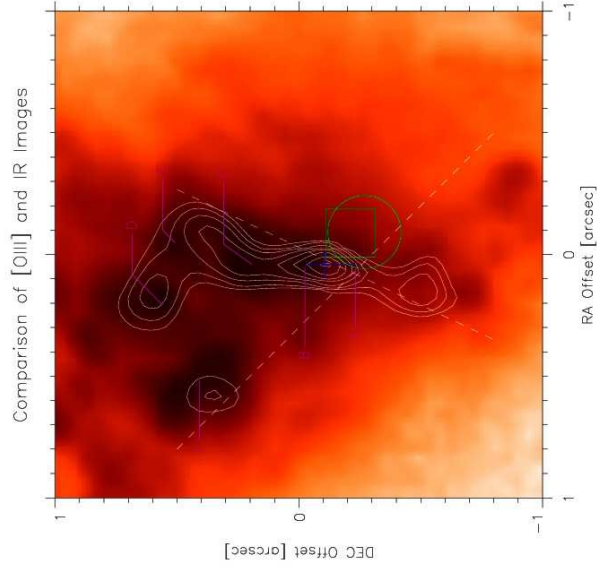


NGC 1068 (M77) core with HST in O III

NGC 1068 (M77): Seyfert 2 nucleus at $z = 0.003$ ($d \sim 15$ Mpc), one of the best studied galaxies in the sky.

Pogge (1988): Extended ionizing radiation cone from the nucleus of NGC 1068, along the direction of the radio jet.

Imaging of NLR



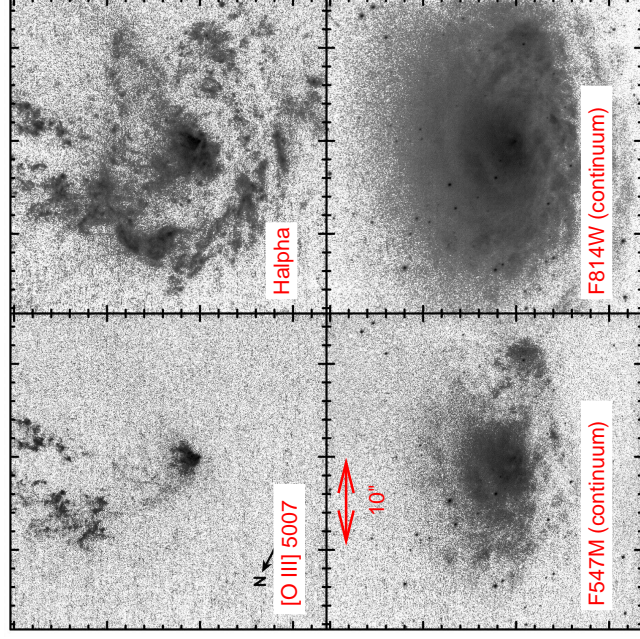
M. Camenzind

NGC 1068: Funnel in IR overlaid to O III image: Highly structured NLR!



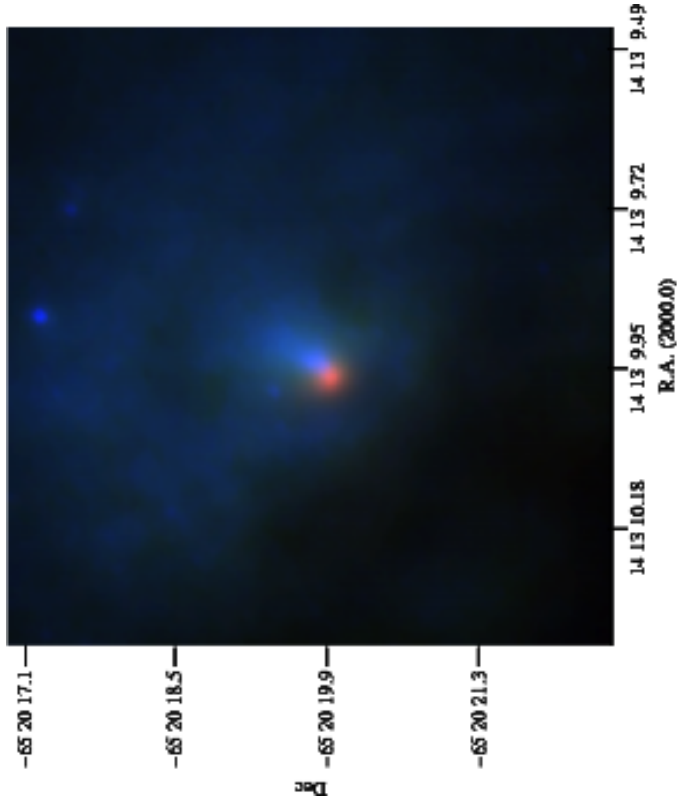
Circinus galaxy:

- $d \sim 4$ Mpc ($1'' \sim 19$ pc)
- 2nd nearest AGN on southern hemisphere after Cen A
- SAB galaxy
- Seyfert 2 nucleus



(HST Wilson et al., 2000, Fig. 2)

Allen, M. G., Dopita, M. A., Tsvetanov, Z. I., & Sutherland, R. S., 1999, *ApJ*, 511, 686
 Baldwin, J. A., Phillips, M. M., & Terlevich, R., 1981, *PASP*, 93, 5
 Kewley, L. J., Groves, B., Kauffmann, G., & Heckman, T., 2006, *MNRAS*, 372, 961
 Komossa, S., & Schulz, H., 1997, *A&A*, 323, 31
 Murayama, T., & Taniguchi, Y., 1998, *ApJ*, 503, L115
 Osterbrock, D. E., 1989, *Astrophysics of gaseous nebulae and active galactic nuclei*, (Mill Valley, CA: University Science Books)
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 Prieto, M. A., et al., 2004, *ApJ*, 614, 135
 Wilson, A. S., Shopbell, P. L., Simpson, C., Storch-Bergmann, T., Barbosa, F. K. B., & Ward, M. J., 2000, *AJ*, 120, 1325



(HST and VLT [IR]; Prieto et al., 2004, Fig. 2)



Circinus galaxy: Alignment between hard X-ray emitting gas and optical ionization cone.