

Imaging and Imaging Detectors

Introduction

Detectors we have dealt with so far: **non-imaging detectors**.

This lecture: **imaging optical photons and X-rays**

Any imaging system has two parts:

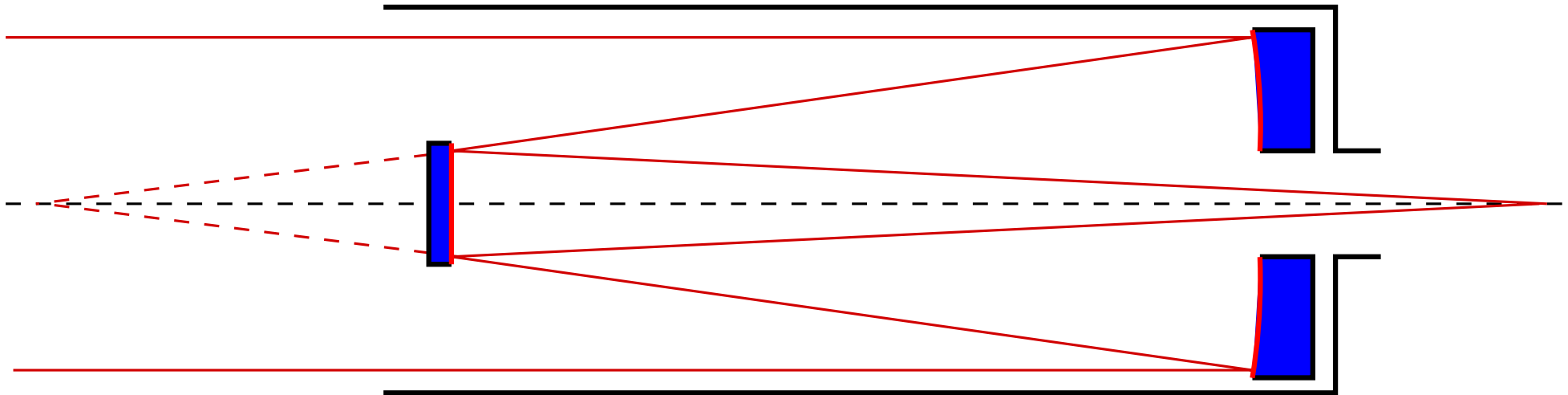
1. **Imaging optics**

In most applications, **mirrors** are used for imaging, although other techniques (variants of shadow cameras) are used, e.g., for γ -rays

2. **Spatially resolved detector**

i.e., a detector capable of measuring where a photon hits it in the focal plane. This can be a photographic plate or film, but is normally a **charge coupled device** (CCD).

Optical Imaging, I



Cassegrain telescope, after Wikipedia

Reminder: Optical telescopes are usually reflectors:

primary mirror → secondary mirror → detector

Main characteristics of a telescope:

- collecting area (i.e., open area of telescope, $\sim \pi d^2/4$, where d : telescope diameter)
- for small telescopes: angular resolution,

$$\theta = 1.22 \frac{\lambda}{d} \quad (4.1)$$

but do not forget the seeing!

Optical Imaging, II

Optical telescopes are based on principle that reflection “just works” with metallic surfaces. For X-rays, things are more complicated. . .

Snell's law of refraction:

$$\frac{\sin \alpha_1}{\sin \alpha_2} = \frac{n_2}{n_1} = n \quad (4.2)$$

where n index of refraction, and $\alpha_{1,2}$ angle wrt. surface normal. If $n \gg 1$: **Total internal reflection**

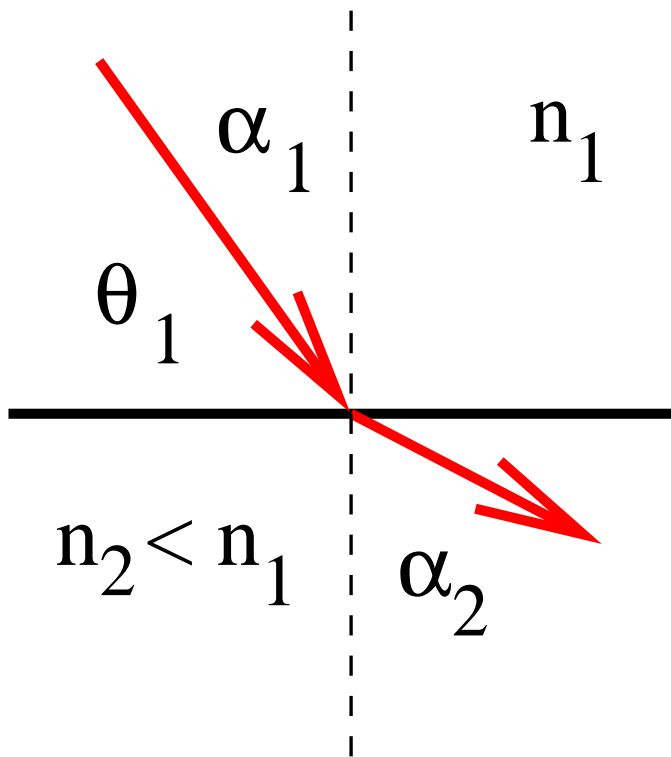
Total reflection occurs for $\alpha_2 = 90^\circ$, i.e. for

$$\sin \alpha_{1,c} = n \iff \cos \theta_c = n \quad (4.3)$$

with the critical angle $\theta_c = \pi/2 - \alpha_{1,c}$.

Clearly, total reflection is only possible for $n < 1$

Light in glass at glass/air interface: $n = 1/1.6 \implies \theta_c \sim 50^\circ \implies$ principle behind **optical fibers**.



Optical Imaging, III

X-rays: theory gives index of refraction vacuum versus material as

$$n = 1 - N_A \frac{Z}{A} \frac{r_e}{2\pi} \rho \lambda^2 =: 1 - \delta \quad (4.4)$$

N_A : Avogadro's number, $r_e = 2.8 \times 10^{-15}$ m, Z : atomic number, A : atomic weight ($Z/A \sim 0.5$), ρ : density, λ : wavelength (X-rays: $\lambda \sim 0.1-1$ nm).

Critical angle for X-ray reflection:

$$\cos \theta_c = 1 - \delta \quad (4.5)$$

Since $\delta \ll 1$, Taylor ($\cos x \sim 1 - x^2/2$):

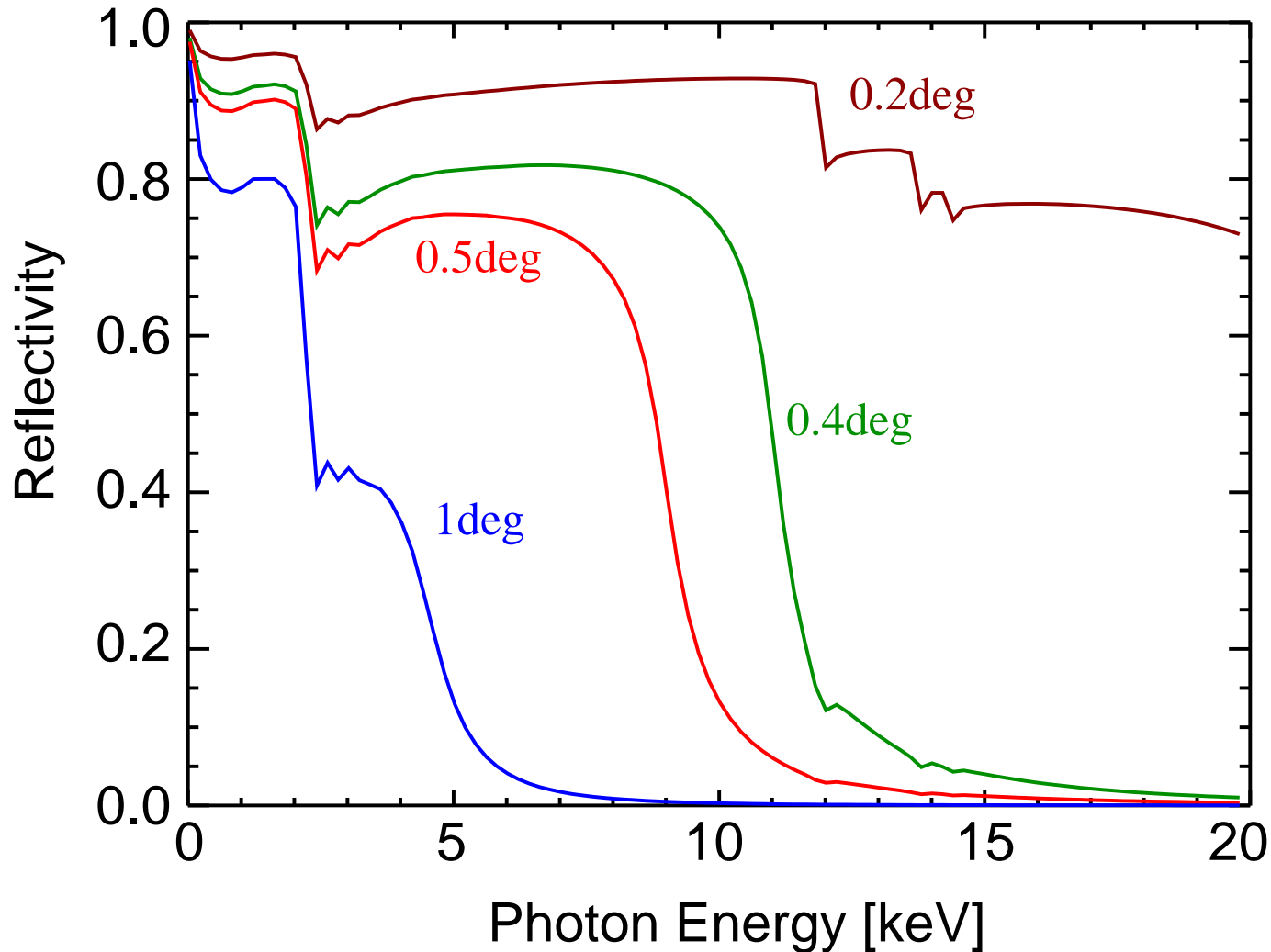
$$\theta_c = \sqrt{2\delta} = 56' \rho^{1/2} \frac{\lambda}{1 \text{ nm}} \quad (4.6)$$

So for $\lambda \sim 1$ nm: $\theta_c \sim 1^\circ$.

To increase θ_c : need material with high ρ

\implies **gold** (*XMM-Newton*) or **iridium** (*Chandra*).

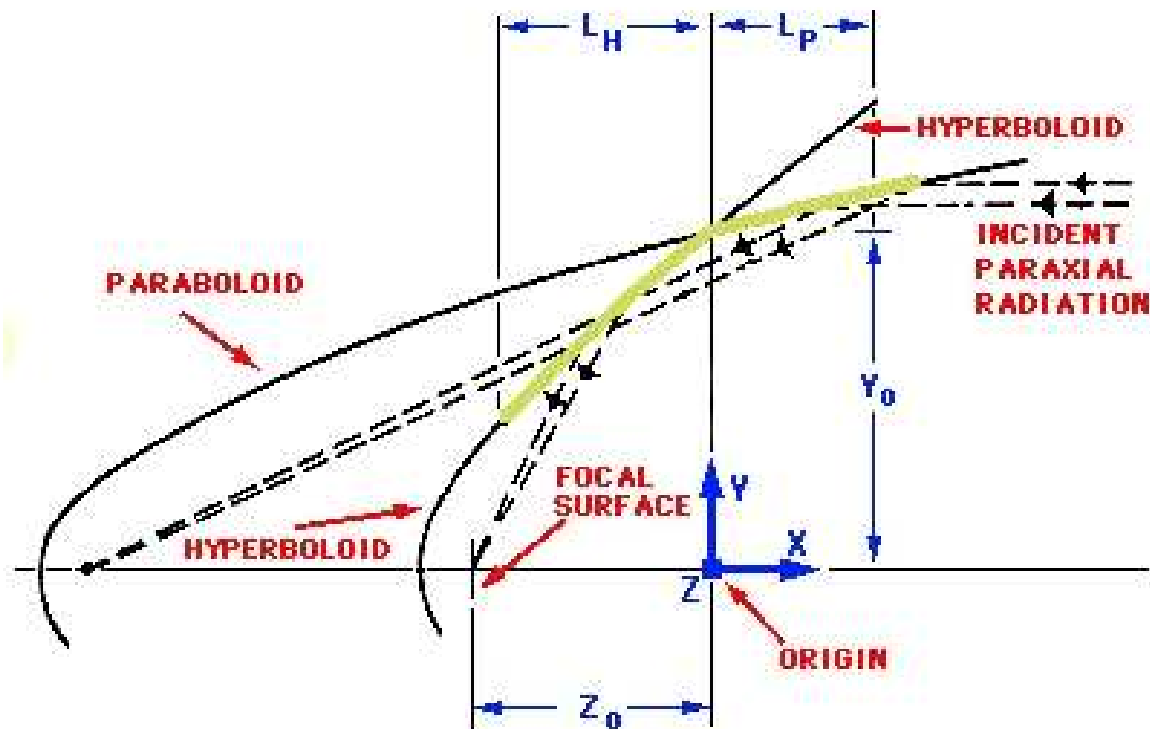
Optical Imaging, IV



Reflectivity for Gold

X-rays: Total reflection only works in the soft X-rays and only under grazing incidence \implies grazing incidence optics.

Wolter Telescopes, I

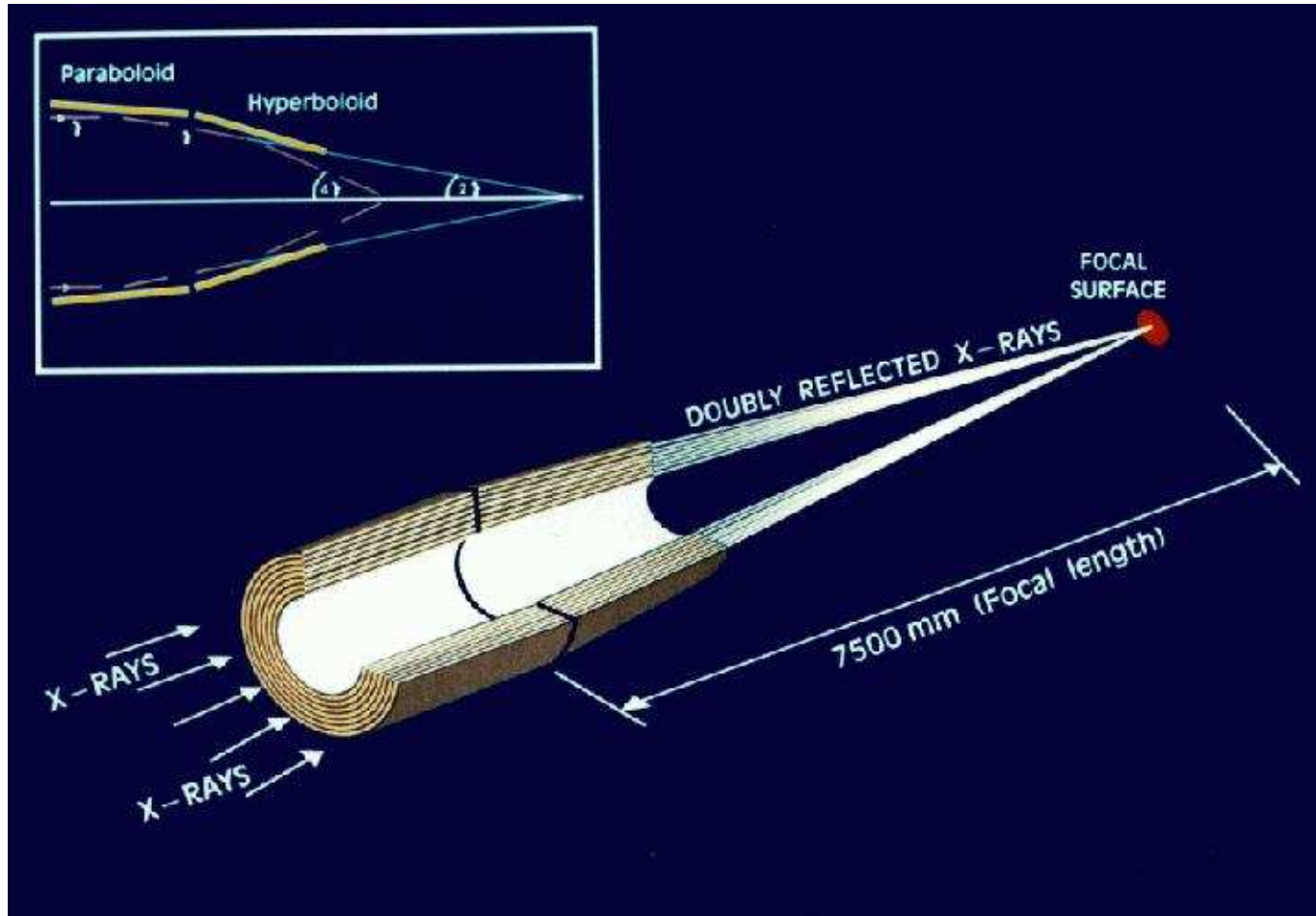


To obtain manageable focal lengths (~ 10 m), do imaging with telescope using **two reflections** on a parabolic and a hyperboloidal mirror

(Wolter, 1952, for X-ray microscopes, Giacconi, 1961, for UV- and X-rays).

But: small collecting area ($A \sim \pi r^2 l / f$ where f : focal length)

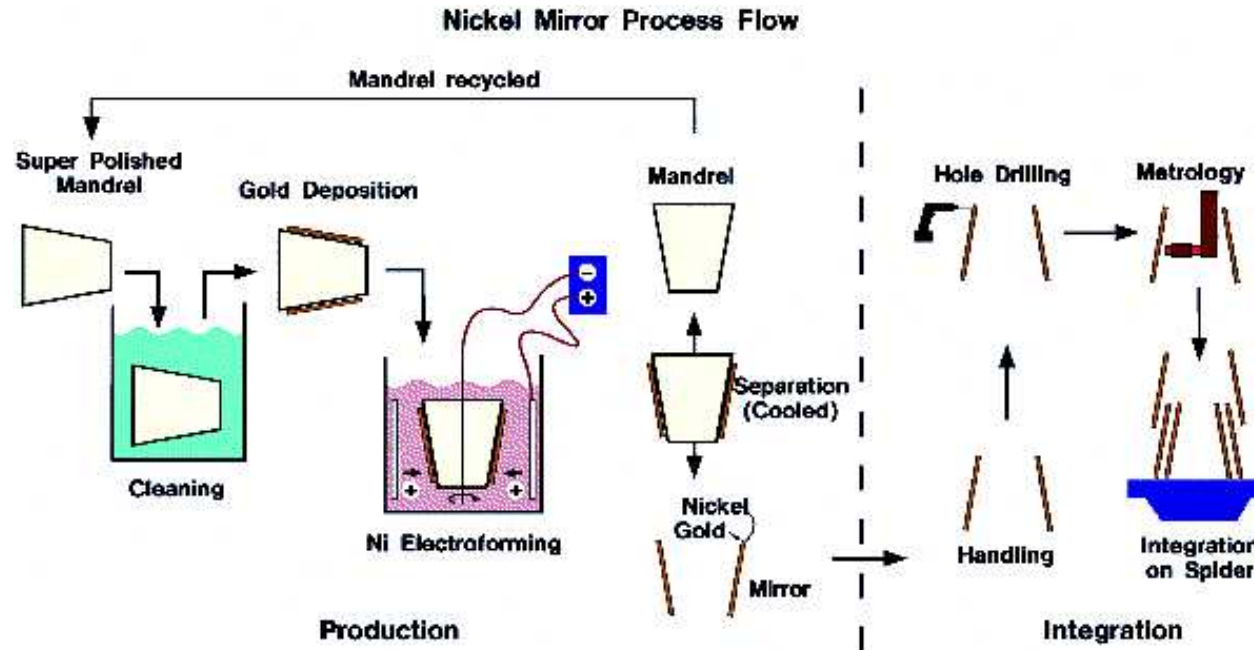
Wolter Telescopes, II



ESA/XMM

Solution to small collecting area: **nested mirrors**

Mirror manufacture, I



Recipe for making an X-ray mirror:

1. Produce mirror negative ("Mandrels"): Al coated with Kanigen nickel (Ni+10% phosphorus), super-polished [0.4 nm roughness]).
2. Deposit 250 nm Au onto Mandrel
3. Deposit 1 mm Ni onto mandrel ("electro-forming", $10 \mu\text{m/h}$)
4. Cool Mandrel with liquid N. Au sticks to Nickel
5. Verify mirror on optical bench.

Total production time of one mirror: 12 d, for XMM: 3×58 mirrors.

Mirror manufacture, II



Gold plastered mandrel for one of the XMM mirrors before electroforming the Ni shell onto the gold.

ESA picture 96.05.006-070

Mirror manufacture, III



...insertion of Mandrel into electroforming bath

ESA picture 96.12.002-016

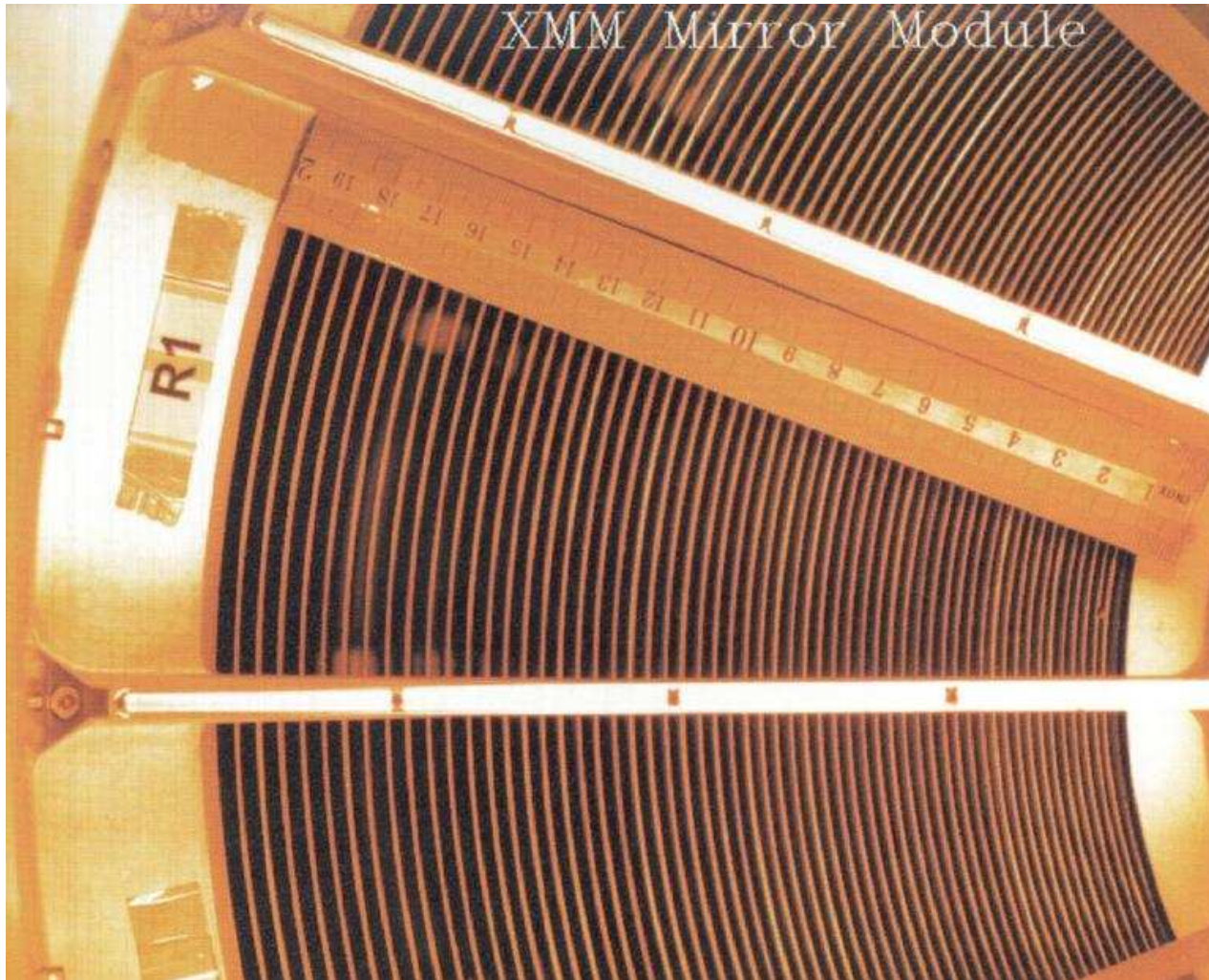
Mirror manufacture, IV



... and the mirror is done

ESA picture 96.12.002-093

XMM-Newton



Top of the XMM mirrors:
3 mirror sets, each consisting of
58 mirrors,

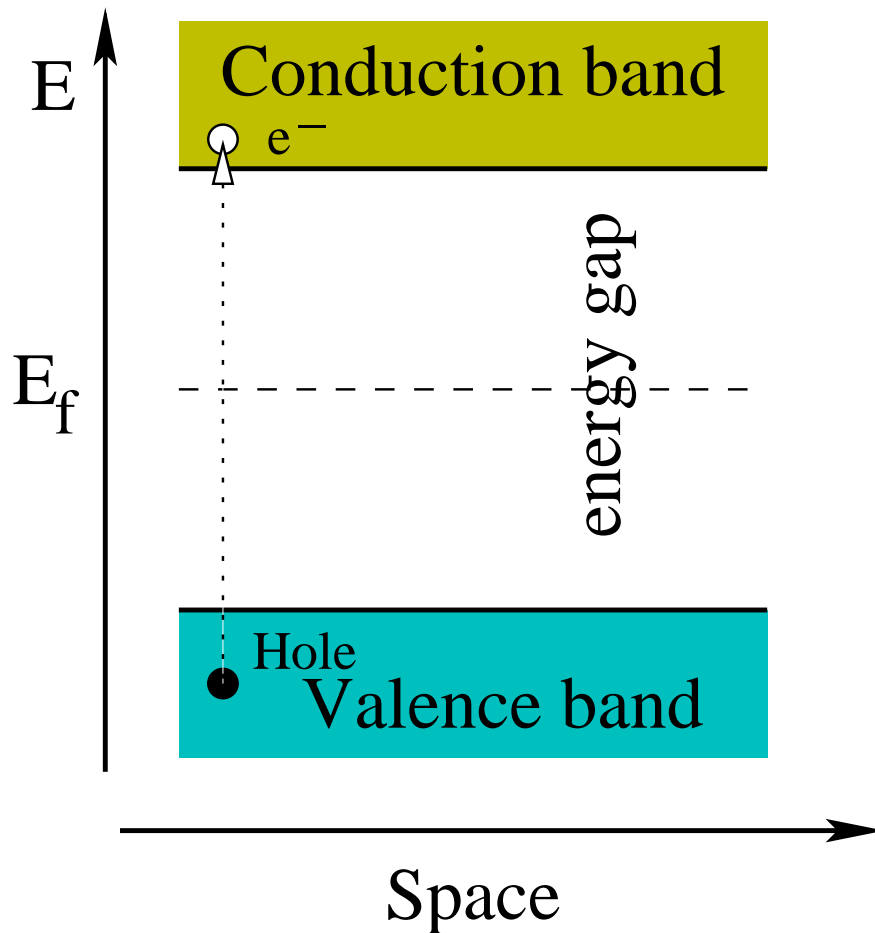
- Thickness between 0.47 and 1.07 mm
- Diameter between 306 and 700 mm,
- Masses between 2.35 and 12.30 kg,
- Mirror-Height 600 mm
- Reflecting material: 250 nm Au.

photo: Kayser-Threde



The *XMM-Newton* Spacecraft (photo: ESA)

Reminder: Semi-Conductors, I



Semiconductors: separation of **valence band** and **conduction band**
 ~ 1 eV (=energy of visible light).

Absorption of photon in Si: Energy of photon released

Number of electron-hole pairs produced:

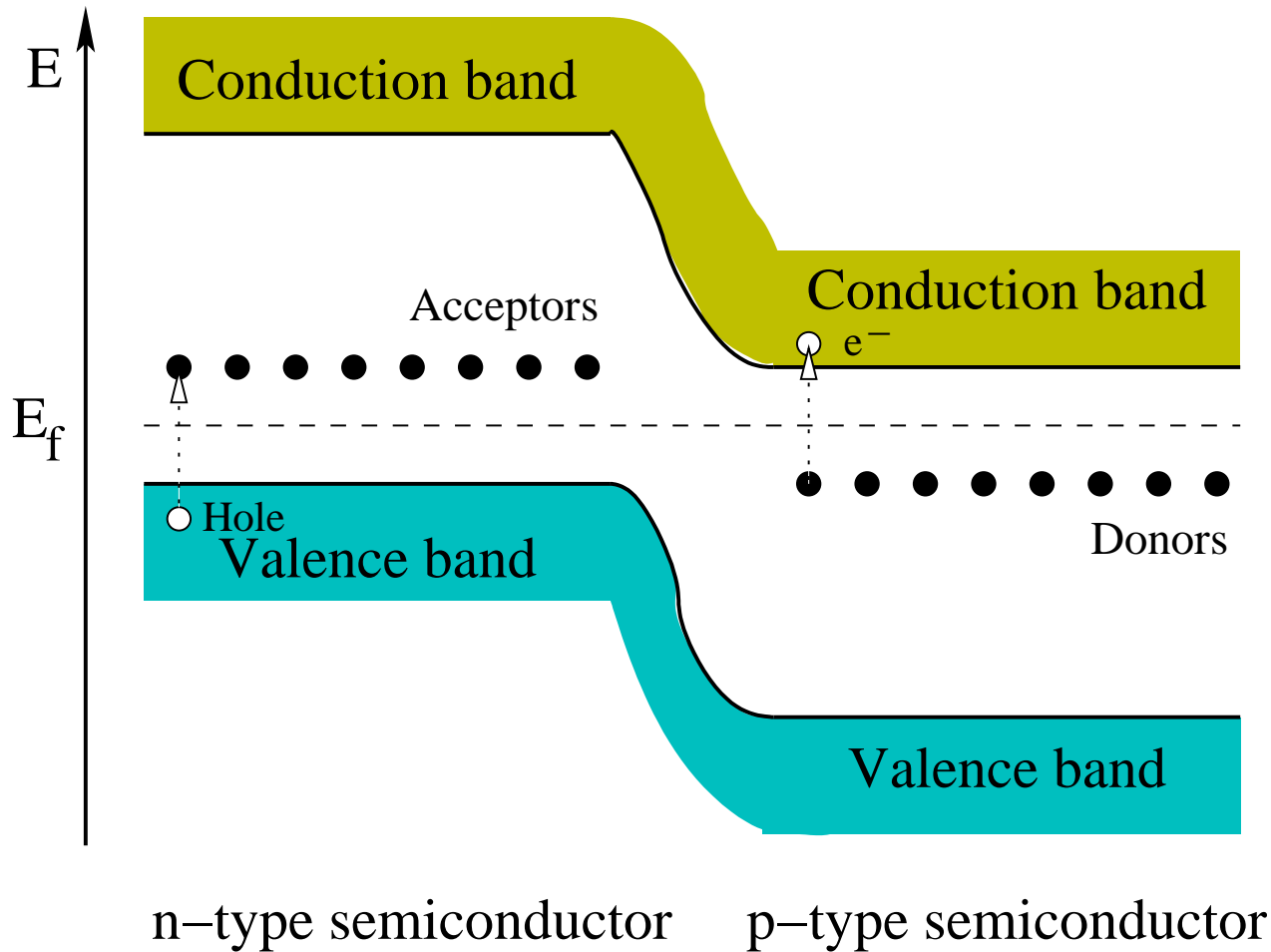
$$N \sim \frac{h\nu}{E_{\text{gap}}} \quad (4.7)$$

in other words:

- optical light: ~ 1 electron-hole pair
- X-rays (keV): ~ 1000 electron-hole pairs

Problem: electron-hole pairs recombine immediately in a normal semiconductor.

Reminder: Semi-Conductors, II



“Doping” the semiconductor moves the valence- and conduction bands.

Connecting a “n-type” and a “p-type” semiconductor gives a **pn-junction**.

Electron-hole pairs created at pn-junction will be separated by field gradient

⇒ electrons can then be collected in potential well away from the junction and read out.

Reminder: Semi-Conductors, III

Number of electron-hole pairs produced determined by **band gap** + “dirt effects”

(“dirt effects”: e.g., energy loss going into bulk motion of the detector crystal [“phonons”])

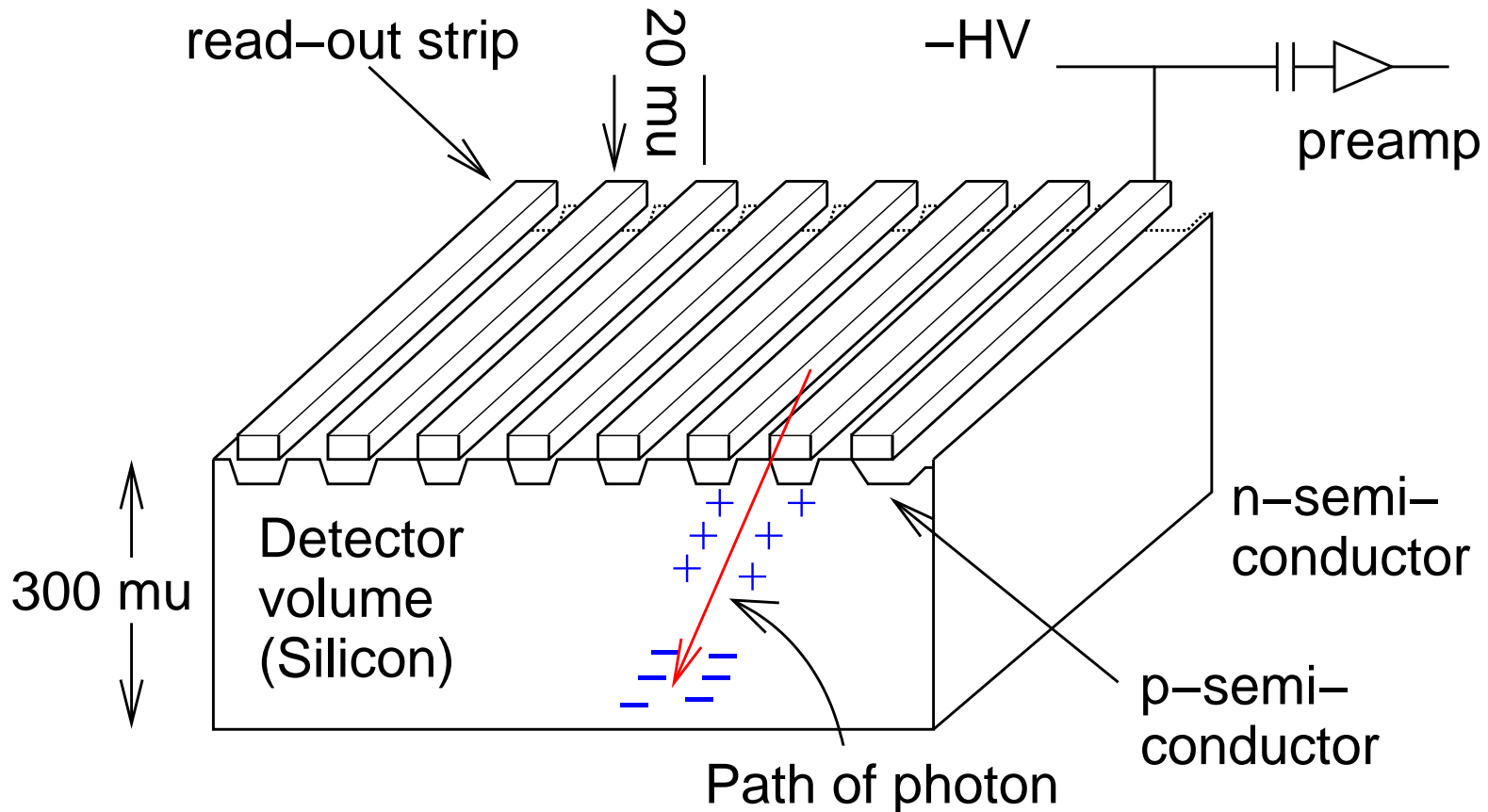
Material	Z	Band gap (eV)	E/pair (eV)
Si	14	1.12	3.61
Ge	32	0.74	2.98
CdTe	48–52	1.47	4.43
Hgl2	80–53	2.13	6.5
GaAs	31–33	1.43	5.2

(so ~ 1 electron for optical photons, ~ 1000 electrons for X-rays)

Since band gap small: **thermal noise** \implies **need cooling**

(ground based: liquid nitrogen, -200°C , in space: cryostats)

Strip Detectors

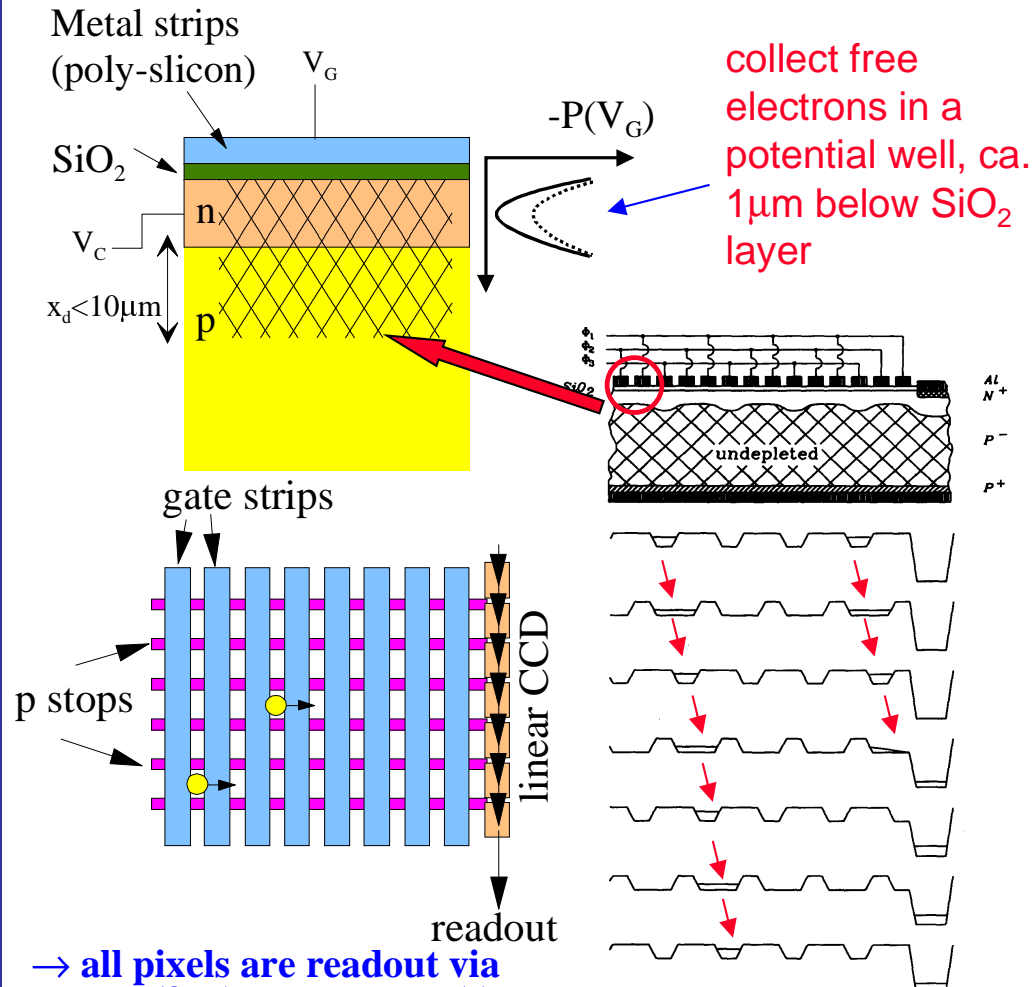


after Grupen

First attempt at **spatial resolution** obtained by segmenting the p-doped layer:
microstrip detectors

◆ Charge Coupled Devices (CCD)

MOS structure with segmented metal layer



→ all pixels are readout via one (few) output node(s)

→ very few electronic channels but long readout time!

Charge transport by periodic change of gate voltage triplets (ϕ_1, ϕ_2, ϕ_3)

CCDs, II

optical CCDs: measure **intensity** \implies need *long* exposures

X-ray CCDs: measure **individual photons** \implies need fast readout

bright sources: several 1000 photons per second \implies readout in μs !

In X-rays: **spectroscopy possible**. Typical resolution reached today:

$$\frac{\Delta E}{E} = 2.355 \sqrt{\frac{3.65 \text{ eV} \cdot F}{E}} \quad (4.8)$$

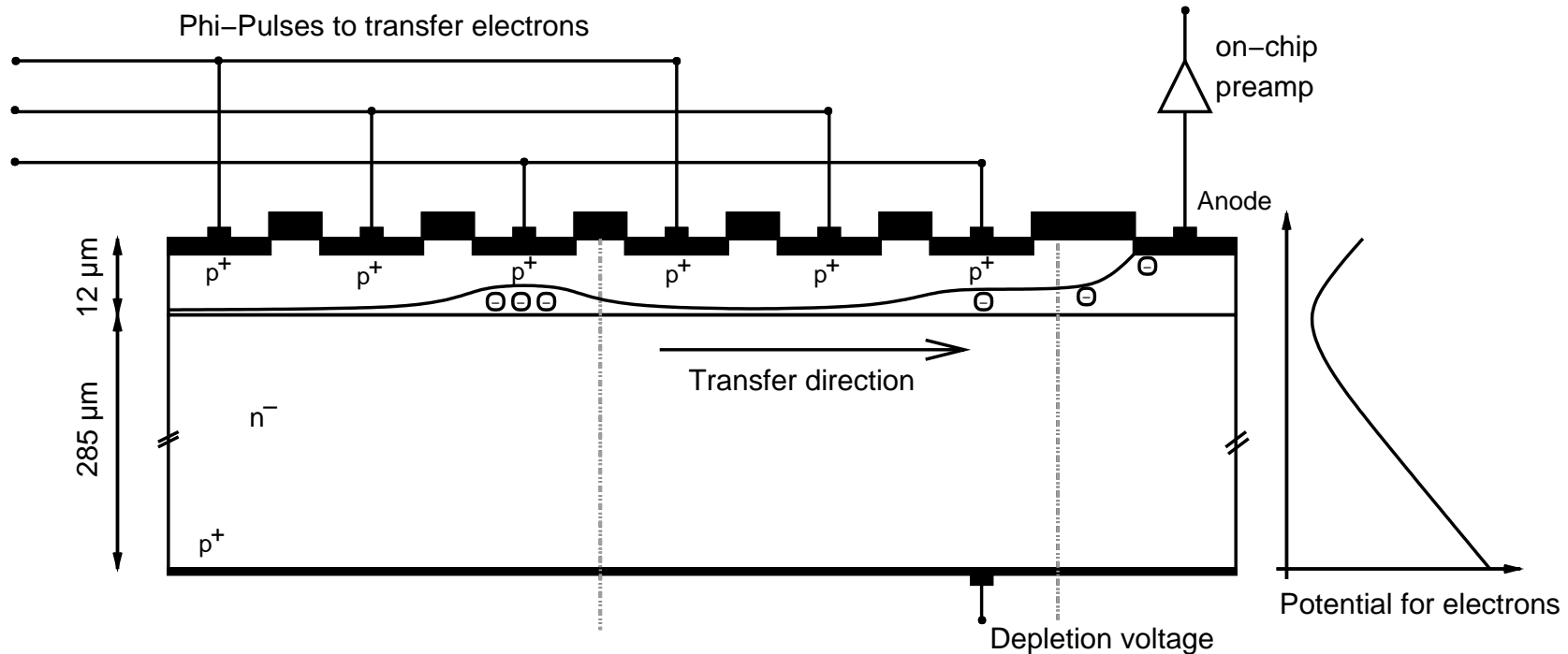
with $F \sim 0.1 \implies \sim 0.4\%$, so much better than proportional counters.

(but same $\Delta E/E \propto E^{-1/2}$ proportionality because of Poisson!)

For both optical and X-rays: **sensitivity close to 100%**

Si based CCDs are currently the best available imaging photon detectors for optical and X-ray applications.

CCDs, III



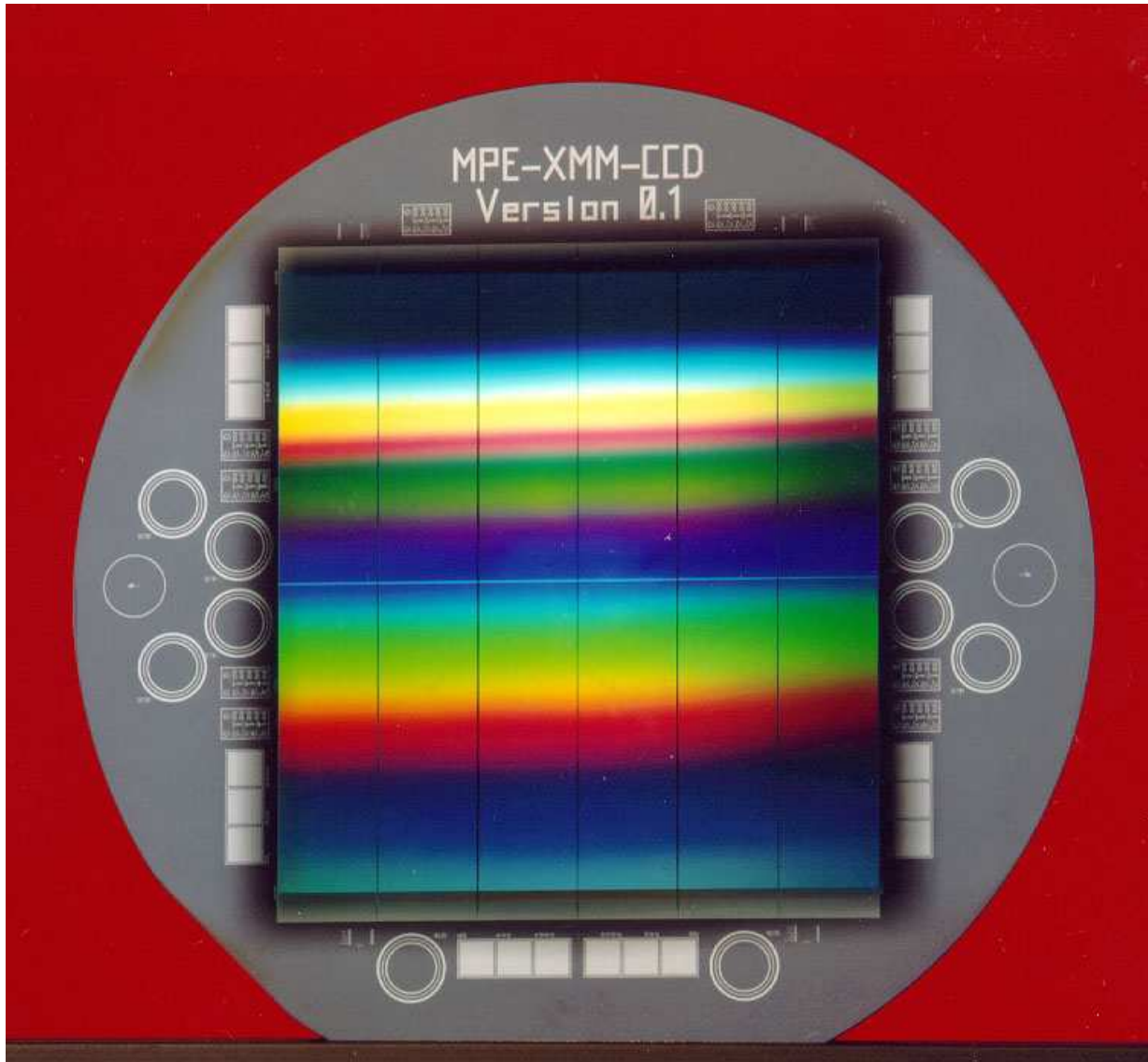
Schematic structure of the *XMM-Newton* EPIC pn CCD.

Problem: Infalling structure has to pass *through* structure on CCD surface \implies loss of low energy response, also danger through destruction of CCD structure by cosmic rays. . .

Solution: Irradiate the back side of the chip. Deplete whole CCD-volume, transport electrons to pixels via adequate electric field (“**backside illuminated CCDs**”)

Note: solution works mainly for X-rays

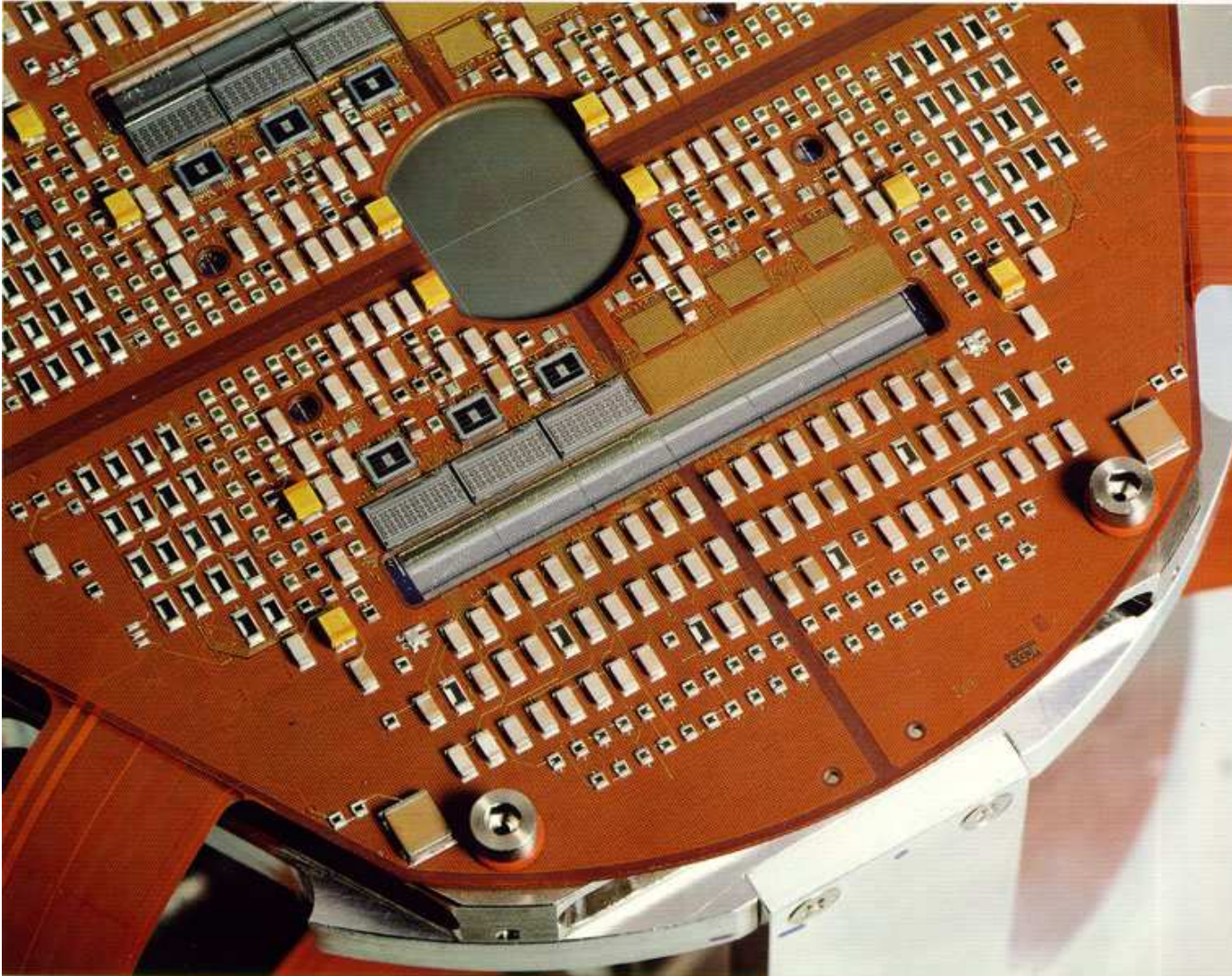
XMM-Newton: EPIC-pn CCD



XMM-Newton: Array of individual backside illuminated CCDs on one Silicon wafer \implies requires extreme care during production

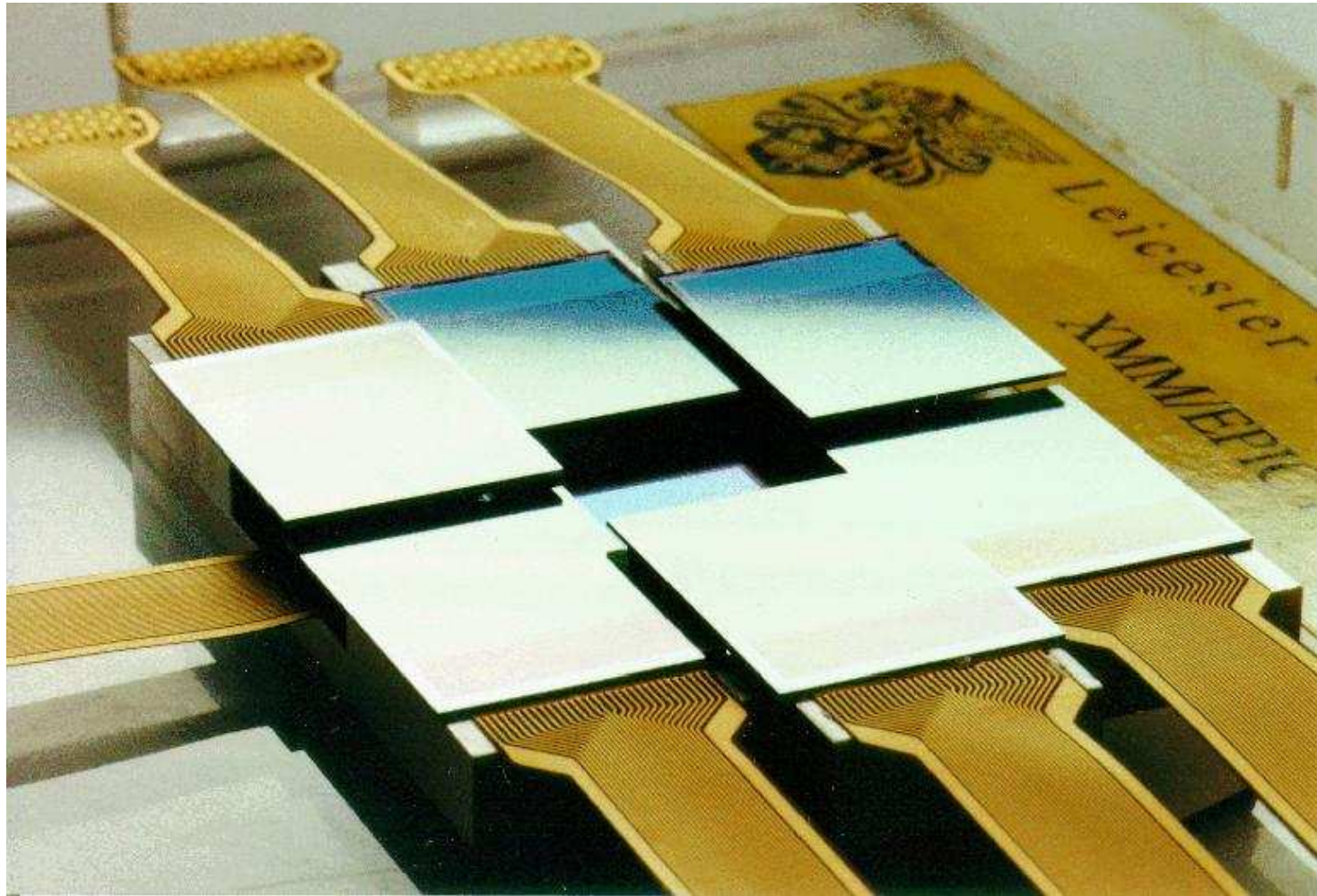
at the time of production one of the most complex Silicon structures ever made (diameter: 65.5 mm)

XMM-Newton: EPIC-pn CCD



Backside of the
EPIC-pn camera
head

XMM-Newton: EPIC-pn CCD



XMM-Newton (EPIC-MOS; Leicester): 7 single CCDs with 600×600 pixels, mounting is adapted to curved focal plane of the Wolter telescope.